



SHAFT98 - COMPUTER DESIGN PROGRAM FOR AXIALLY LOADED DRILLED SHAFTS

SUBMITTED TO

FLORIDA DEPARTMENT OF TRANSPORTATION

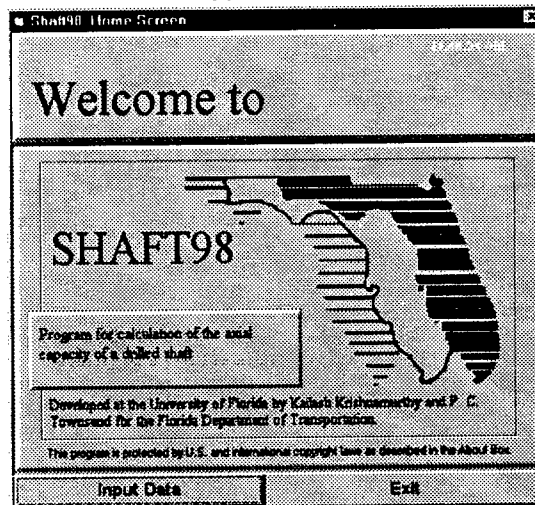
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16. Abstract Shaft98 is a Visual Basic program based upon the FHWA reports: (a) Drilled Shafts: Construction Procedure and Design Methods (1988) by L.C. Reese and M.W. O'Neill, and (b) Load Transfer for Drilled Shafts in Intermediate Geomaterials (1996) by M.W. O'Neill et al. The program calculates axial capacities and settlements for clays, sands and soft rock [unconfined compression strength (q_u) between 0.5 and 5.0 MPa].			
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SI* (MODERN METRIC) CONVERSION FACTORS

APPROXIMATE CONVERSIONS TO SI UNITS

Symbol	When You Know	Multiply By	To Find	Symbol	When You Know	Multiply By	To Find	Symbol
LENGTH								
in	inches	25.4	millimeters	mm	millimeters	0.039	inches	in
ft	feet	0.305	meters	m	meters	3.28	feet	ft
yd	yards	0.914	meters	m	meters	1.09	yards	yd
mi	miles	1.61	kilometers	km	kilometers	0.621	miles	mi
AREA								
in ²	square inches	645.2	square millimeters	mm ²	square millimeters	0.0016	square inches	in ²
ft ²	square feet	0.093	square meters	m ²	square meters	10.764	square feet	ft ²
yd ²	square yards	0.836	square meters	m ²	square meters	1.195	square yards	yd ²
ac	acres	0.405	hectares	ha	hectares	2.47	acres	ac
mi ²	square miles	2.59	square kilometers	km ²	square kilometers	0.386	square miles	mi ²
VOLUME								
fl oz	fluid ounces	29.57	milliliters	ml	milliliters	0.034	fluid ounces	fl oz
gal	gallons	3.785	liters	l	liters	0.264	gallons	gal
ft ³	cubic feet	0.028	cubic meters	m ³	cubic meters	35.71	cubic feet	ft ³
yd ³	cubic yards	0.765	cubic meters	m ³	cubic meters	1.307	cubic yards	yd ³
MASS								
oz	ounces	28.35	grams	g	grams	0.035	ounces	oz
lb	pounds	0.454	kilograms	kg	kilograms	2.202	pounds	lb
T	short tons (2000 lb)	0.907	megagrams	Mg	megagrams	1.103	short tons (2000 lb)	T
TEMPERATURE (exact)								
°F	Fahrenheit temperature	5(F-32)/9 or (F-32)/1.8	Celsius temperature	°C	Celsius temperature	1.8C + 32	Fahrenheit temperature	°F
ILLUMINATION								
fc	foot-candles	10.76	lux	lx	lux	0.0929	foot-candles	fc
fl	foot-Lamberts	3.426	candela/m ²	cd/m ²	candela/m ²	0.2919	foot-Lamberts	fl
FORCE and PRESSURE or STRESS								
lbf	poundforce	4.45	newtons	N	newtons	0.225	poundforce	lbf
psi	poundforce per square inch	6.89	kilopascals	kPa	kilopascals	0.145	poundforce per square inch	psi

NOTE: Volumes greater than 1000 l shall be shown in m³.

* SI is the symbol for the International System of Units. Appropriate rounding should be made to comply with Section 4 of ASTM E380.

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SHAFT98 - COMPUTER DESIGN PROGRAM FOR AXIALLY LOADED DRILLED SHAFTS

Introduction

The SHAFT98 computer program is a *Windows* based program used to estimate the static axial capacity of drilled shafts. The methodology is based upon Federal Highway Administration reports: (a) Reese, L. and O'Neill, M. (1988) "Drilled Shafts: Construction Procedure and Design Methods", and (b) O'Neill, M.W. et al. (1996) "Load Transfer for Drilled Shafts in Intermediate Geomaterials". The former presents methods for estimating drilled shaft capacity in clays or sands, and provides settlement estimates. The latter addresses intermediate geomaterials, soft rock, q_u between 0.5 and 5.0 Mpa (1.7 to 17 tsf) and SPT blow counts of 50 - 100; and provides settlement analyses. Load transfer for rock socketed shafts in Florida limestone is based upon the methodology described in; (a) FDOT Final Report " An Evaluation of Design Methods for Drilled Shafts" (1990), which is also found (b) McVay, M.C. et al. (1992).

SHAFT98 replaces earlier versions of SHAFTUF and SHAFT93.

Method of Analysis

The axial capacity of drilled shafts can be calculated as:

$$Q_t = Q_s + Q_b \quad \text{(Eqn 1)}$$

where:

- Q_t = Ultimate shaft capacity
- Q_s = capacity in skin friction
- Q_b = Capacity in end bearing

The computations of side resistance (skin friction) and end bearing are presented in separate sections for clay, sand, and intermediate geomaterial (soft rock). Settlement calculations are also presented. These three material types (clay, sand, and soft rock) are identified as follows to be compatible with FDOT's SPT94 program.

Table 1 Code for Soil Type

Description	SHAFT98	SPT94
Plastic Clay	2	1
Clay-Silt-Sand Mixtures	2	2
Clean Sand	3	3
Soft Rock	4	4

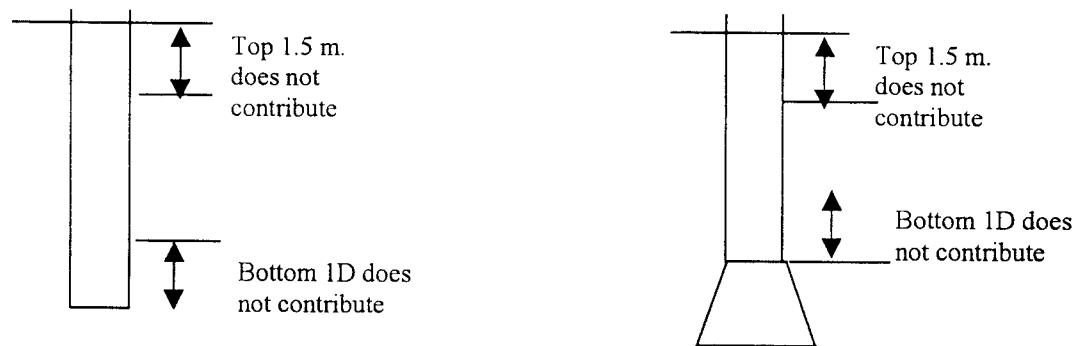


Figure 1 Portions of Drilled Shaft Non-Contributory in Friction

Table 2 Recommended Values for α for Drilled Shafts in Clay

Location along Drilled Shaft	Value of α	Maximum Value of f_{su} (tsf)
From ground surface to depth of 5 ft. (1.52 m.)	0.0	
From ground surface to length of casing	0.0	
Bottom 1 diameter of shaft or 1 stem diameter above top of bell	0.0	
All other points along drilled shaft sides	0.55	2.75 tsf 275 kPa

Design for Clay

Shear Transfer - The load transfer in side resistance for drilled shafts in clay employs the Alpha (α) method. That is, the undrained shear strength C_u of clay is found from appropriate soil tests or correlations with insitu tests and the following equation used to compute the ultimate value of unit load transfer at the depth z below the ground surface.

$$f_{su} = \alpha C_u \quad (\text{Eqn 2})$$

where

f_{su} = ultimate unit load transfer in side resistance at depth z

α = empirical factor that varies with depth, (see Table 2 and Figure 1) and

C_u = undrained shear strength at depth z ,

The total load Q_s in side resistance is now computed as:

$$Q_s = \int_{L_1}^{L_2} f_{su} dA \quad (\text{Eqn 3})$$

where

dA = differential area of the perimeter along the side over a specific depth,

and

L_1 and L_2 = penetration of drilled shaft below ground surface between two layers.

Figure 1 illustrates the zones where α is assumed to be zero. The setting of $\alpha = 0$ for a distance of 1 diameter above the base is from the work of Ellison et al. (1971), who showed that the downward movement of the base of the shaft can result in the development of a tensile crack in the soil near the base. Consequently, the lateral stress at the base will be reduced causing a reduction in load transfer in skin friction for this zone. In cases where a clay layer is present above the base, the program takes the arithmetic average of those C_u values between the top and the bottom of the clay layer. For a belled shaft the C_u are averaged between the top of the clay layer and to one shaft diameter above the top of the bell (if the bottom of a clay layer is below the depth of one shaft diameter above the top of the bell). However, if the top of the clay layer falls within 5 ft (1.52m) below the ground surface, the C_u average starts from the bottom of 5 ft (1.52m). The user must provide at least one C_u value for each clay layer.

End Bearing - The end bearing resistance for drilled shafts in clay is derived from the work of Skempton (1951) as follows:

$$q_b = N_c C_u, \quad q_b < 40 \text{ tsf (4000 kPa)} \quad (\text{Eqn 4})$$

where:

q_b = unit end bearing for drilled shafts in clay

$N_c = 6.0[1 + 0.2(L/D)] \quad N_c < 9$

C_u = average undrained shear strength of clay for one diameter (1.0D) below the tip.

L = total embedment length of shaft
D = diameter of shaft base.

The limiting value of q_b shown in equation 4 is merely the largest value of end bearing that has been measured for clays and is not a theoretical limit (Engling and Reese, 1974)

SHAFT98 interpolates or extrapolates values of C_u at depths of one base diameter of the shaft, below the base. Interpolation and extrapolation depend on the depth of C_u values input by the user. For the calculation of an average C_u value, the program takes a weighted average of all the C_u values present in above described depth range. An example with hand calculations is shown in Appendix A.

In the case where the shaft base is at the top of a clay layer, SHAFT98 takes a weighted average of C_u values between the base and one base diameter below the base.

In those rare instances where the clay at the base is soft, the value of C_u may be reduced by one-third to account for local (high strain) bearing failure. Furthermore, when the base of the shaft has a diameter greater than 75 inches (1.9 m) consideration should be given to reducing q_b because the settlement required to obtain the ultimate value of q_b will be so great that application of safety factors in the usual range of 2 or 3 may result in excessive short term settlement. It is therefore recommended that for drilled shafts in stiff to hard clay, with D exceeding 75 inches (1.9 m), that the following expressions be used to reduce q_b to q_{br} , where q_{br} is the reduced ultimate end bearing stress, to which appropriate safety factors are applied.

$$q_{br} = F_r q_b \quad (Eqn 5)$$

where:

$$F_r = 2.5/[a D_b (\text{inches}) + 2.5 b] \quad F < 1.0$$

in which

$$a = 0.0071 + 0.0021 (L/D_b), \quad a < 0.015$$

$$b = 0.45 (C_{ub})^{0.5} \quad 0.5 < b < 1.5 \text{ and } C_{ub} \text{ in ksf}$$

These expressions are based upon load tests of large under-reamed drilled shafts in very stiff clay (O'Neill and Sheikh, 1985) and restrict q_{br} to be the net bearing stress at a base settlement of 2.5 inches (6.35 cm). When half or more of the design load is carried in end bearing and a global factor of safety applied, the global safety factor should not be less than 2.5, unless site specific load tests deem otherwise.

Short-Term Settlement - The reference curves are presented in Figure 2. The marks represent the values proposed by Reese and O'Neill [FHWA (1988)] and the solid lines are the adopted curves. If the short-term settlements or differential settlements appear to be too great the applied loads can be adjusted accordingly. Normally, if the procedures for establishing ultimate loads are followed, short-term settlements should be restricted to less than one inch (2.54 cm.) when appropriate safety factors are applied.

Side friction mobilization

$$\begin{aligned}
 f_s/f_{s\max} &= 0.593157 \cdot R/0.12 && \text{for } R \leq 0.12 \\
 f_s/f_{s\max} &= R/(0.095155 + 0.892937 \cdot R) && \text{for } R \leq 0.74 \\
 f_s/f_{s\max} &= 0.978929 - 0.115817 \cdot (R - 0.74) && \text{for } R \leq 2.0 \\
 f_s/f_{s\max} &= 0.833 && \text{for } R > 2.0
 \end{aligned}$$

$$\text{where } R = \frac{S}{D} \cdot 100$$

For end bearing mobilization the trendline is given as:

$$\begin{aligned}
 q_b/q_{b\max} &= 1.1823E-4 \cdot R^5 - 3.7091E-3 \cdot R^4 + 4.4944E-2 \cdot R^3 - 0.26537 \cdot R^2 + 0.78436 \cdot R && \text{for } R \leq 6.5 \\
 q_b/q_{b\max} &= 0.98 && \text{for } R > 6.5
 \end{aligned}$$

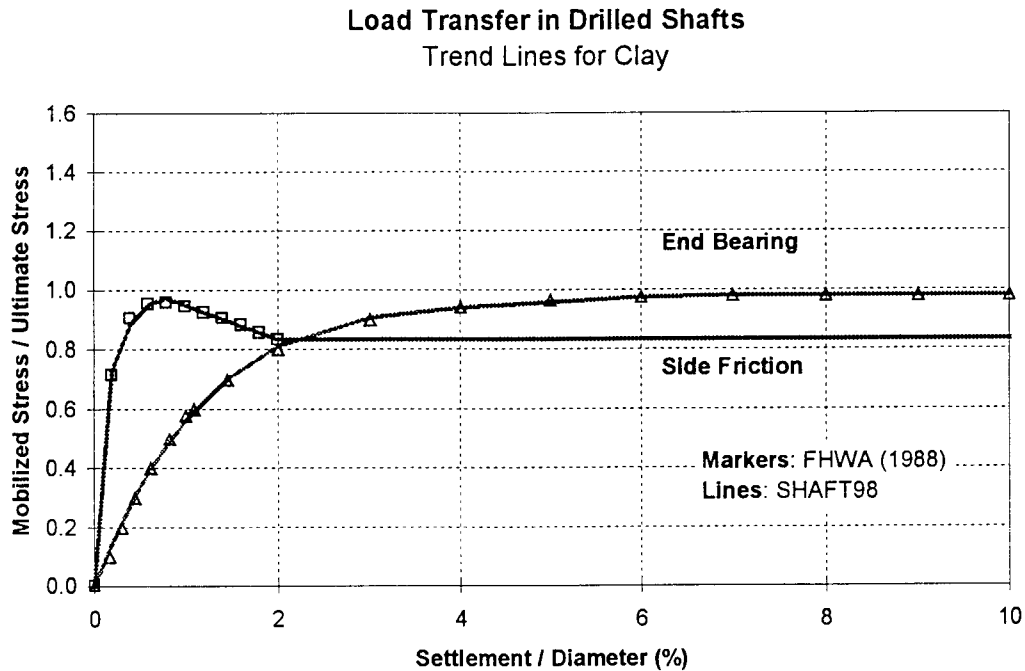


Figure 2 Trend lines for side friction and end bearing in clay

An example is presented in Appendix A for a drilled shaft in clay.

Design for Sand

Side Shear resistance - The unit side resistance, as the drilled shaft is pushed downward is equal to the normal effective stress times the tangent on the interface friction angle. The normal stress at the interface of the drilled shaft and soil will be relatively low when the excavation is completed. The fluid stress from the fresh concrete will impose a normal

stress that is dependent on the characteristics of the concrete. Experiments have shown that concrete with a moderate slump (up to 6 inches, 150 mm.) acts hydrostatically over a depth of 10 to 15 ft. (3 to 4.5 m.) and there is a leveling off in the lateral stress at greater depths, probably due to arching (Bernal and Reese, 1983). Concrete with a high slump (about 9 inches, 230 mm.) acts hydrostatically to a depth of 32 ft. (10 m.). Thus, construction procedures and the concrete characteristics will probably have a strong influence on the magnitude of the lateral stress at the soil-concrete interface. Furthermore, the friction angle of the soil-concrete interface will also be affected by construction details. Consequently, a β method for calculating the unit side shear transfer is use with the following rationale:

$$f_{sz} = K \sigma_z \tan \phi_c \quad (\text{Eqn 6})$$

$$Q_s = \int_0^L K \sigma_z \tan \phi_c dA \quad (\text{Eqn 7})$$

where

- f_{sz} = ultimate unit side shear resistance in sand at depth z ,
- K = a parameter that combines the lateral pressure coefficient
- σ_z = vertical effective stress at depth z
- ϕ_c = interface friction angle for soil-concrete
- L = depth of embedment for drilled shaft in sand
- dA = differential area of perimeter along sides of drilled shaft

Equations 6 and 7 can be used in computations, but simpler expressions can be developed by combining the terms for K and $\tan \phi_c$ as β ; resulting in:

$$f_{sz} = \beta \sigma_z$$

$$Q_s = \int \beta \sigma_z dA \quad (\text{Eqn 8})$$

$$\beta = 1.5 - 0.135\sqrt{z} \quad 1.2 > \beta > 0.25 \quad (\text{Eqn 9})$$

where

z = depth below ground surface, ft.

The factor β in equation 9 is independent of ϕ (or N_{SPT}) because drilling plus stress relief produces high shearing strains in the sand at the borehole interface, and the friction angle ϕ is forced toward some common critical state value. Thus, the parameter β varies principally with the coefficient of lateral pressure K and experimental studies have shown that this coefficient both for soil and fresh concrete exhibits some decrease with depth.

The limiting value of side resistance in equation 9 is again not a theoretical limit, but rather is merely the largest value that has been measured (Owens and Reese, 1982). Higher values can be used if justified via a load test.

End Bearing - Because of stress relief when an excavation is drilled into sand, there is a tendency for the sand to loosen slightly at the bottom of the excavation. Also there appears to be some densification of the sand beneath the base of the drilled shaft as settlement occurs. The load-settlement curves that have been obtained by experiment for the base of drilled shafts are consistent with the above concepts. The load continued to increase for some tests to a settlement of more than 15 percent of the base diameter. Such a large settlement could not be tolerated for most structures; therefore, it was decided to limit the values of end bearing for drilled shafts in granular soils to that which would occur at a downward movement of 5 percent of the base diameter.

The values of q_b are tabulated as a function of N_{SPT} (uncorrected field values) in Table 3. However, these values may have to be reduced for large diameter shafts [$D > 50$ in. (1.3m)], as shown by equation 10.

$$q_{br} = 50 * (q_b/D_b); D_b \text{ in inches}$$

$$\text{or } q_{br} = 1.3 * (q_b/D_b); D_b \text{ in meters} \quad (\text{Eqn 10})$$

Table 3 Recommended Unit End Bearing Values for Cohesion's Soils

N_{SPT} Values (Uncorrected)	Value of q_b (TSF) [kPa]
0 to 75	(0.60 N_{SPT}) [60 N_{SPT}]
above 75	(45) [4500]

Table 3 suggests a limiting value of end bearing as 45 tsf (4500 kPa) at a settlement of 5 percent of the base diameter. A value of 58 tsf (5800 kPa) was measured at a settlement of 4 percent of the base diameter in Florida (Owens and Reese, 1982).

In the case where the shaft base is in sand, SHAFT98 uses the basic assumption that the soil 8D above and 3.5D below the shaft base contributes to the end bearing capacity. This assumption differs from O'Neill (1988) in which a single N value at the base characterizes the tip resistance. A weighted average in this 8D - 3.5D range is obtained via equation 11.

$$N_{spt} = \frac{\sum N_k L_k}{\sum L_k} \quad (\text{Eqn 11})$$

SHAFT98 needs at least one value of SPT for each sand layer. It then calculates an area average of SPT values between the depth range of 8 shaft diameters above the base and 3.5 base diameters below the base, if no other layer except a sand layer is present in this depth range. If any other soil except sand is present in this range, then it calculates area average of SPT values between top of other layer (in other layer is present below the base), and bottom of other layer (if other layer is present above the base). If a sand layer is present above the base while the shaft is not tipped in sand, SHAFT98 asks for at least one value of SPT for each sand layer. However, SPT values are not required to calculate skin friction, but in case of editing the shaft data, this information may be required.

Immediate Settlements - The immediate settlements are computed using non-linear t-z and Q-z springs, with the shape presented in Figure 3. The equations are provided but it should be referred that there is a considerable scatter around these trend lines.

Side friction mobilization

$$\begin{aligned} f_s/f_{s\max} &= -2.16*R^4 + 6.34*R^3 - 7.36*R^2 + 4.15*R & \text{for } R \leq 0.908333 \\ f_s/f_{s\max} &= 0.978112 & \text{for } R > 0.908333 \end{aligned}$$

where $R = \frac{S}{D} * 100$

End bearing mobilization

$$q_b/q_{b\max} = -0.0001079*R^4 + 0.0035584*R^3 - 0.045115*R^2 + 0.34861*R$$

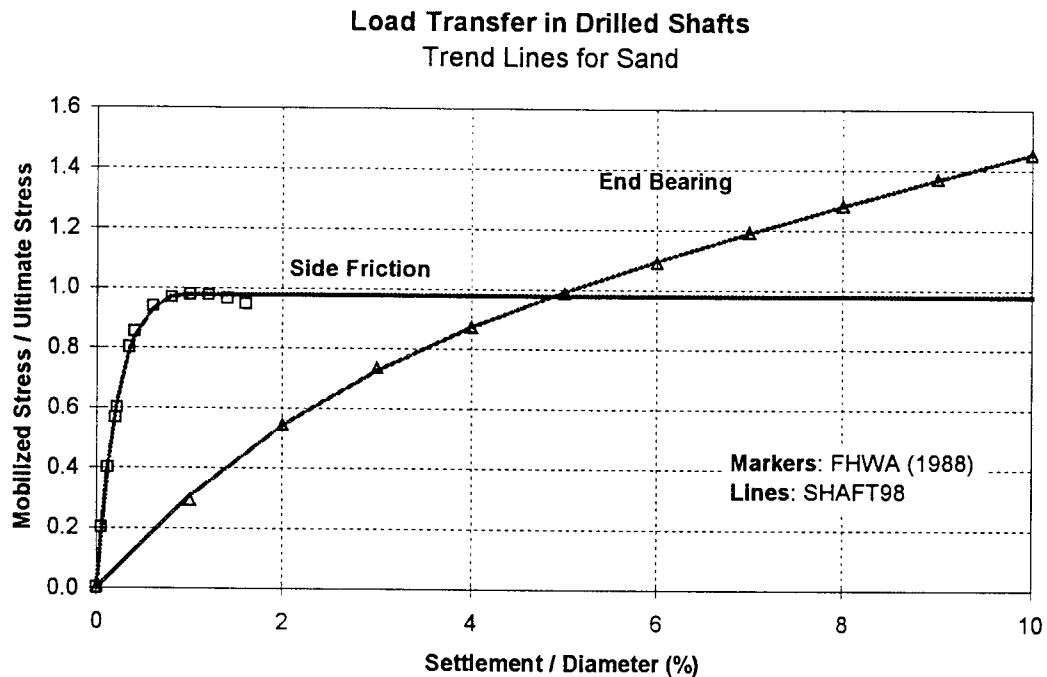


Figure 3 Trend lines for side friction and end bearing in sand

Design for Rock

Side shear resistance - Several equations have been suggested for estimating the ultimate side friction (f_{su}) for drilled shafts in rock. (McVay et al. 1992). They are typically based upon unconfined compression strengths, q_u (α values), or a combination of unconfined and split tensile strengths ($0.5\sqrt{q_u}\sqrt{q_t}$). These correlations listed below may be entered into SHAFT98 as (Note: 1 tsf = 95.8 kPa):

$$f_{su} = \alpha q_u^b, \text{ } \alpha \text{ and } b \text{ are empirical parameters used by authors based upon their experiences}$$

(Eqn 12)

1. Williams, et.al. (1980): $f_{su} = 1.842q_u^{0.367}$
2. Rowe and Armitage (1987): $f_{su} \text{ (tsf)} = 1.45 \sqrt{q_u}$
for clean sockets, and $f_{su} \text{ (tsf)} = 1.94 \sqrt{q_u}$ for rough sockets;
3. Horvath and Kenney (1979): $f_{su} \text{ (tsf)} = 0.67 \sqrt{q_u}$
4. Carter and Kulhawy (1988): $f_{su} \text{ (tsf)} = 0.63 \sqrt{q_u}$
5. Reynolds and Kaderabek (1980): $f_{su} \text{ (tsf)} = 0.3 (q_u)$;
6. Gupton and Logan (1984): $f_{su} \text{ (tsf)} = 0.2 (q_u)$;
7. Reese and O'Neill (1988): $f_{su} \text{ (tsf)} = 0.15 (q_u)$;
8. Crapps (1986): $f_{su} = 0.01N \text{ (tsf)}$ or $f = -5.54 + 0.41N \text{ (tsf)}$
9. CIRIA (Hobbs and Healy, 1979)

N value	10	15	20	25	30	>30
$f_{su} \text{ (tsf)}$.36	.77	1.1	1.8	2.6	2.6
10. McMahan (1988)

N Range	10 - 20	20 - 50	50 - 50/3"	>50/3"
$f_{su} \text{ (tsf)}$	1.5	2.5	3.8	5

An examination of these methods reveals that in the case of #5, #6 and #7, skin friction is a simple constant times q_u , whereas #1, #2, #3, and #4 use a power curve relationship.

End Bearing - The ultimate end bearing resistance in rock can be calculated as:

$$Q_b = q_{bu} A_b \quad (\text{Eqn 13})$$

where

Q_b = ultimate end bearing
 q_{bu} = unit end bearing capacity, and
 A_b = shaft base area

SHAFT98 uses the Canadian Foundation Manual method of equation 14 to estimate end bearing in rocks. However, sinkhole potential of Florida's karstic terrain, and questions concerning cleanliness of the shaft base if wet hole construction is used, have led some designers to neglect conservatively end bearing of drilled shafts in Florida (i.e., assume $q_{bt} = 0$).

$$q_{bt \max} = 3 \Delta K_{sp} [q_u \text{ (beneath base)}] \quad (\text{Eqn 14})$$

where:

Δ = depth factor = $1 + 0.4 (L/D) < 3.4$, and

$$K_{sp} = (3 + \frac{S_d}{D}) / (10 \sqrt{1 + 300 \frac{t_d}{S_d}})$$

in which:

s_d = vertical spacing of horizontal joints beneath base
 t_d = thickness of these horizontal joints

s_d = vertical spacing of horizontal joints beneath base
 t_d = thickness of these horizontal joints

The application of equation 14 is limited to $0.05 < S_d / D < 2$; $t_d / D < 0.02$ and $D > 0.3\text{m}$. If these limiting values of $S_d / D = 0.05$ and $t_d / D = 0.02$ are assumed, then,

$$K_{sp} = 0.115 \text{ . and}$$

$$q_{bt \max} = 0.346 (1 + 0.4 L/D) q_u \quad (\text{Eqn 15})$$

Equation 15 is programmed into SHAFT98. However, this value of $q_{bt \max}$ is limited to $< 2.5 q_u$.

Short - term settlements in rock - The short-term settlements in rock are estimated using the direct method of O'Neill, et al. (1996) for rough sockets [IGM_Type = 1.0] or smooth [IGM_Type \neq 1.0].

For side shear resistance:

1. Find the average E_m and f_{su} along the side of the rock socket.

$$E_m = \Sigma E_{mk} L_k / \Sigma L_k \text{ where } E_{mk} = 115 q_{uk}$$

$f_{su} = \Sigma f_{su} L_k / \Sigma L_k$ where f_{su} = side friction from equation 12. Note the values selected for f_{su} depend whether the socket is considered “smooth” and failure occurs at the interface (α values) or “rough” where failure occurs through the rock ($0.5\sqrt{q_u} \sqrt{q_t}$).

2. Calculate Ω

$$\Omega = 1.14 \left(\frac{L}{D}\right)^{0.5} - 0.05 \left[\left(\frac{L}{D}\right)^{0.5} \log_{10} \left(\frac{E_c}{E_m}\right) - 0.44\right]$$

where $E_c(\Psi) = 57.000 \sqrt{q_{uc}}$

3. Calculate Γ

$$\Gamma = 0.37 \sqrt{\left(\frac{L}{D}\right)} - 0.15 \left[\sqrt{\left(\frac{L}{D}\right)} - 1\right] \log_{10} \left(\frac{E_c}{E_m}\right) + 0.13$$

4. Find n

For “rough” sockets;

$$n = \sigma / q_u \text{ where } \sigma = \text{normal stress of concrete} = \gamma_c Z_c M$$

Table 4 Values of M

Socket Depth (m)	Slump (mm)		
	125	175	225
4	0.50	0.95	1.0
8	0.45	0.75	1.0
12	0.35	0.65	0.9

if a water table is present, then $\sigma_n = \gamma_c (Z_c - Z_w) + \gamma_c Z_w$, where Z_c = depth to water table.

For “smooth” sockets, n is estimated from Figure 4.

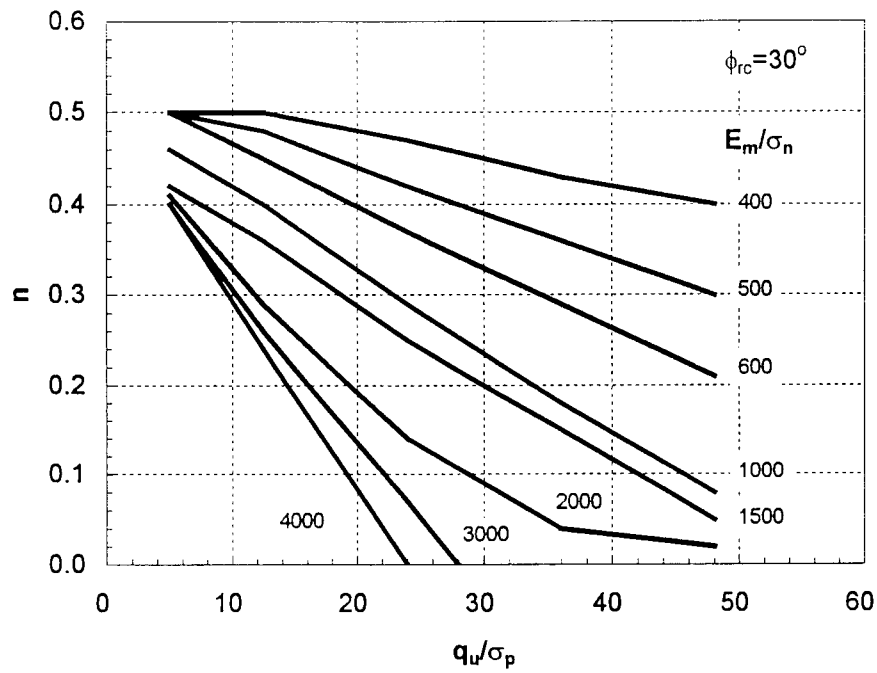


Figure 4 N Factors for Smooth Sockets

5. Calculate Θ_f and K_f

$$\Theta_f = \frac{E_m \Omega}{\pi L \Gamma f_{su}} W_t$$

$$K_f = n + \frac{(\Theta_f - n)(1 - n)}{\Theta_f - 2n + 1} < 1$$

$$\Theta_f = \frac{E_m \Omega}{\pi L \Gamma f_{su}} W_t$$

$$K_f = n + \frac{(\Theta_f - n)(1 - n)}{\Theta_f - 2n + 1} < 1$$

where

W_t = deflection at top of rock socket

6. Calculate the side shear load transfer - deformation as

$$Q_s = \pi DL \Theta_f f_{su} \quad \Theta_f < n$$

$$Q_s = \pi DL K_f f_{su} \quad \Theta_f > n$$

For end bearing short-term settlements in rock sockets, the O'Neill et al. (1996) procedure follows as:

$$\text{Find } Q_b = \frac{\pi D^2}{4} q_b$$

where $q_b = \Lambda W_t^{0.67}$, and

$$\Lambda = 0.0134 E_m \frac{(L/D)}{(1 + L/D)} \left\{ \frac{[200(L/D)^{0.5} - \Omega][1 + (L/D)]}{\pi L \Gamma} \right\}^{0.67}$$

The total settlement (Q_t) for a rock socket would be the sum of $Q_s + Q_b$.

An example for a rock-socketed shaft is presented in Appendix A.

In rare cases where IGM is at the ground surface the first layer should be fictitiously thin, i.e., 0.1 m.

Layered Soils

In the case of alternating layers of clay, sand, or rock, the side resistance is calculated by summing the incremental resistances for each layer. Obviously, the end bearing depends upon the layer in which the base is tipped.

USER'S GUIDE

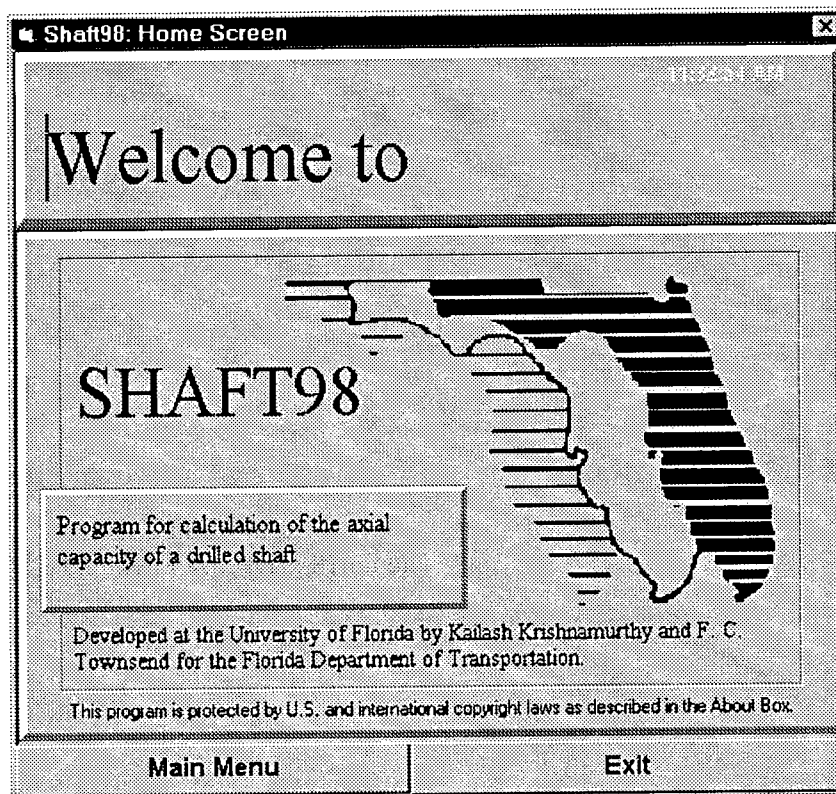


Figure 5

Go to Start Button in Windows 95/NT, Programs, Shaft98. On Clicking Shaft98 Figure 1 pops up. Click on Main Menu. In Main Menu window, click on File, Open and then choose the appropriate input file.

Main Menu File Edit Input Calculation Results Help About

Shaft Geometry

Shaft Length (m)	Case Length (m)	Shaft Diameter (m)	Bell Diameter (m)	Bell Height (m)	
9.1500	2.0000	1.0000	1.0000	0.0000	0.0000

Boring Log Data

Entry No.	Depth (m)	SPT (blows/0.3m)	Soil Type	Shear Strength (kPa)	Unit Weight (kN/m ³)	qu (kPa)	
1	0.0000	0	3	0.0000	15.7080	0.0000	0.0000
2	6.1000	10	3	0.0000	15.7080	0.0000	0.0000
3	6.1000	0	4	0.0000	20.4000	957.5958	0.0000
4	9.1500	0	4	0.0000	20.4000	957.5958	0.0000
5	15.0000	0	4	0.0000	20.4000	957.5958	0.0000
6							
7							
8							

Units
☒ SI
☐ English

Groundwater Level
 Water Table (m)

Type of Analysis
☒ Specific Shaft Lengths
☐ A Range of Shaft Lengths

Figure 6

Prior to inputting data, select “Units” in lower left-hand box. Enter “Groundwater location” (depth). Select “Type of Analysis” for either single or range of shaft lengths. Continuing in “Input”, enter data pertaining to shaft geometry, and soil properties. “Soil Type”

SHAFT '98 Soil Type	SPT 97 Soil Type	Description
2	1	Plastic Clay
2	2	Clay-silt-sand mixtures
3	3	Clean Sand
4	4	Soft limestone
	5	Void

For SHAFT '98 "Soil Types" relating to cohesionless soils (sands) Type = 3 SPT values **must** be input. For cohesive soils (clays) TYPE = 1 or 2, C_u values are needed. However, these may be obtained via: (1) direct input, (2) correlations with SPT, or (3) correlations from CPT. For intermediate geomaterials, TYPE = 4, unconfined / compression (q_u) strengths are required.

In order to do the analysis, click on Calculation, Start. Once calculation is done an information dialog box, with OK button shows up. Click the OK button for the next screen (Figure 7)

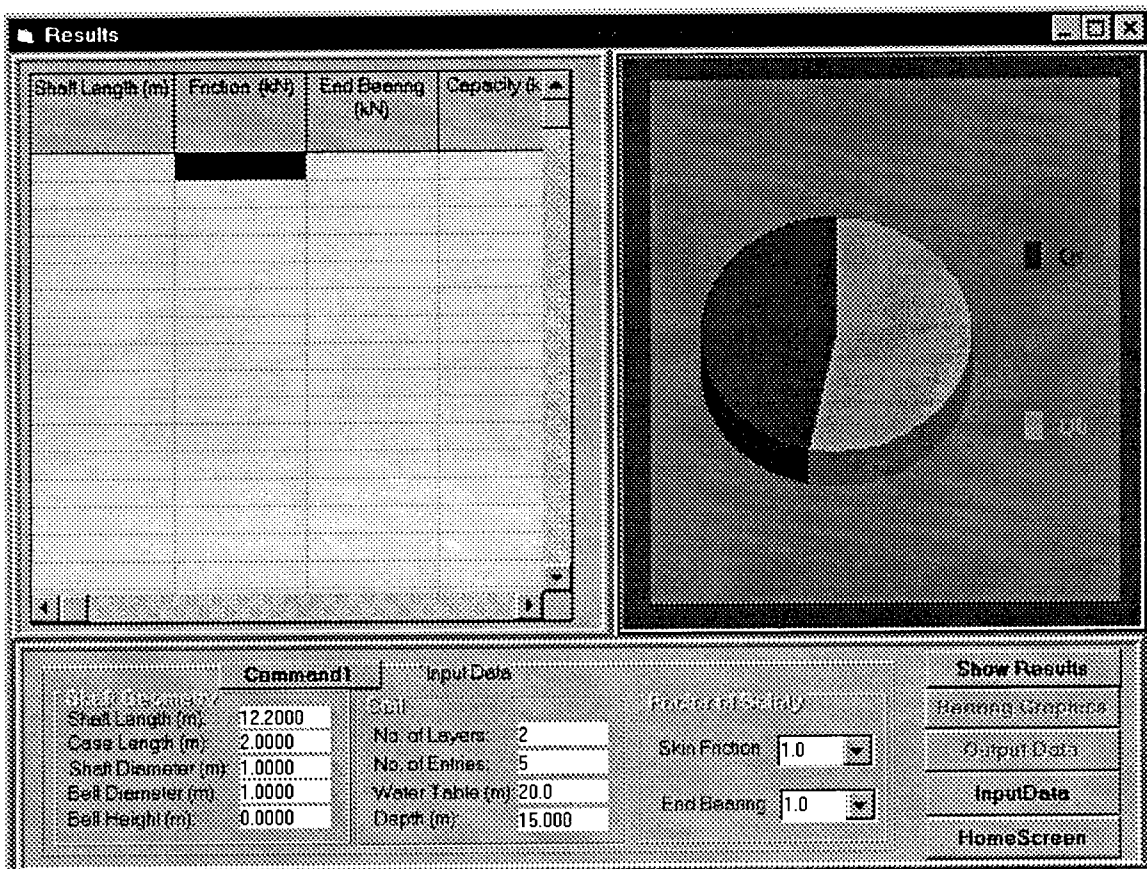


Figure 7

This window displays the shaft geometry, the information of soil layers, and water table. In order to view results, click on Show Results command button. In order to go back to input data or Home Screen windows click on the respective buttons. Once the Show Results button is clicked, Figure 7 looks like Figure 8.

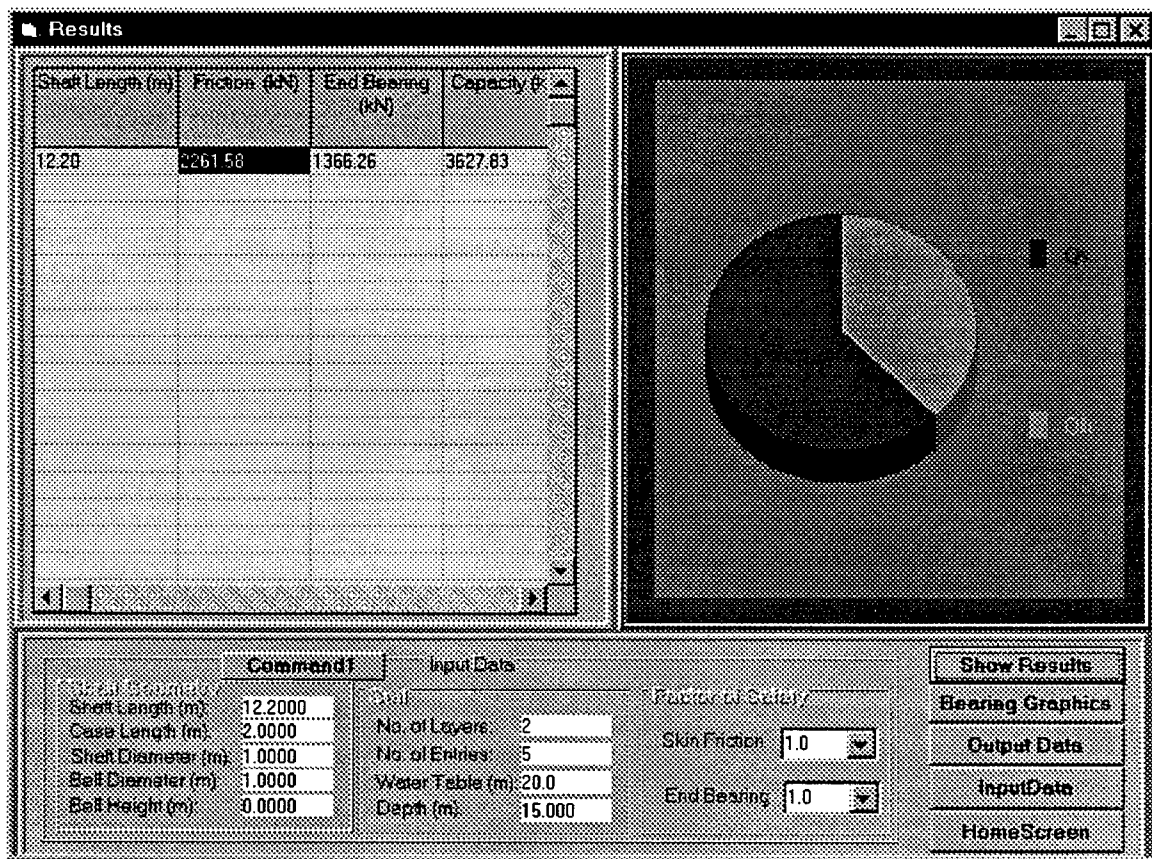


Figure 8

This screen can be used to set "Factors of Safety" on skin friction and/or end bearing. The Bearing Graphics button will provide the graphics illustrated in Figure 9. To obtain the settlement data, use the "input data" button to return to the input data screen (Figure 6), and click results. From there you will be prompted for settlement.

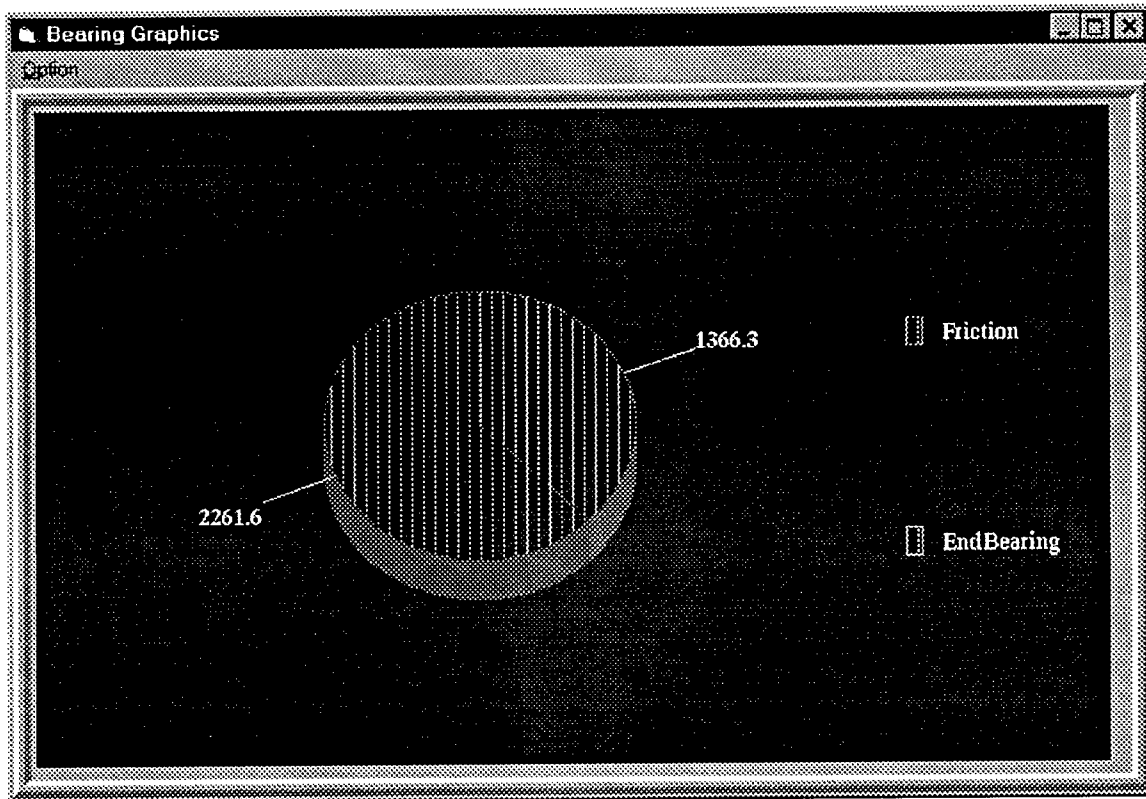


Figure 9

This screen presents the bearing graph showing skin friction and tip resistance percentages. Clicking "options" (upper left) provides a menu for other screens.

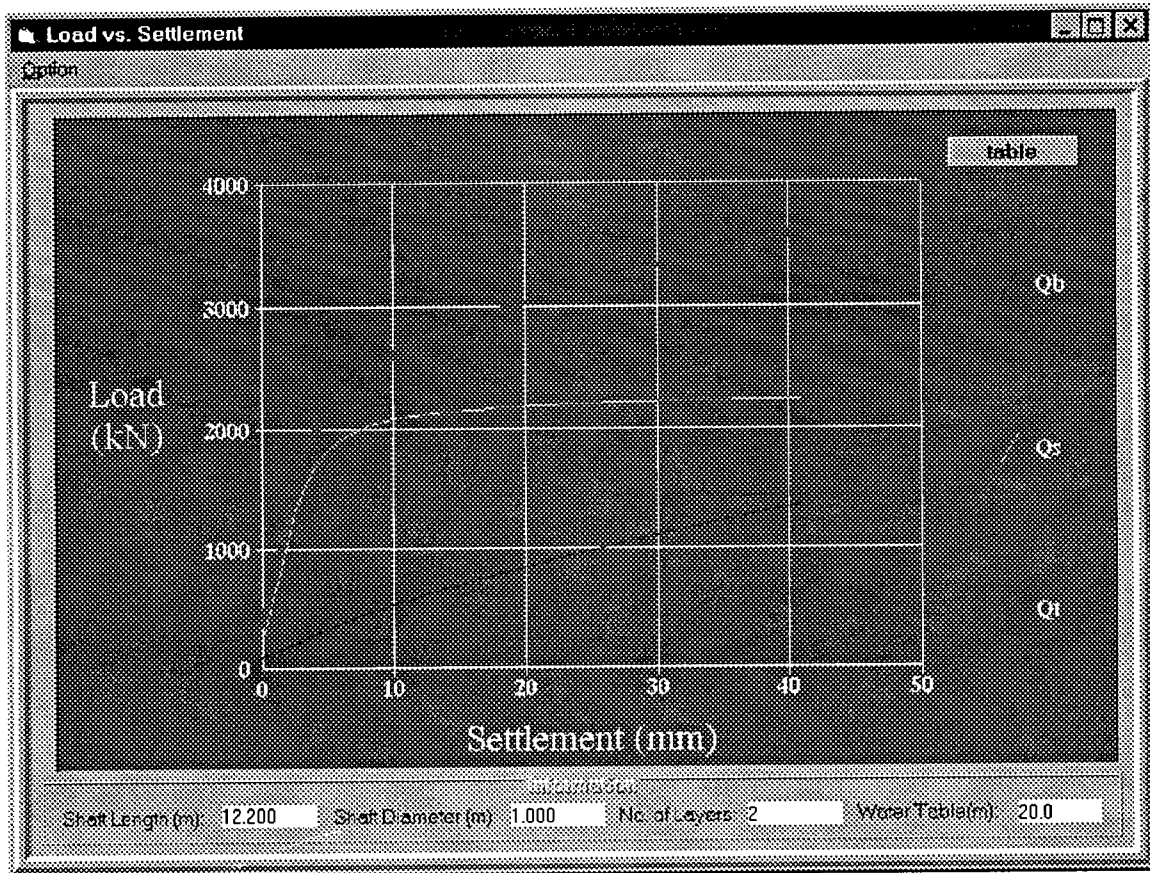


Figure 11

This screen presents the settlement graphics. Clicking the "Table" button will provide the tabular data for these curves as shown in Figure 12.

Output Settlement Data

Option

Settlement (mm)	Friction (kN)	End Bearing (kN)	Capacity (kN)
0.008	263.223	99.362	362.585
1.639	934.401	158.093	1092.494
2.459	1301.945	207.440	1509.385
3.276	1543.230	251.537	1794.768
4.098	1703.151	292.100	1995.252
4.918	1813.974	330.053	2144.027
5.737	1893.813	365.964	2259.776
6.557	1953.613	400.214	2353.827
7.376	1999.849	433.077	2432.926
8.196	2035.715	464.753	2500.468
9.015	2061.711	495.399	2557.111
9.835	2080.282	525.138	2605.420
10.655	2096.145	554.070	2650.215
11.474	2109.861	582.275	2692.136
12.294	2121.837	609.822	2731.659
13.114	2132.385	636.770	2769.155
13.933	2141.746	663.167	2804.913
14.753	2150.110	689.056	2839.166
15.572	2157.627	714.475	2872.103
16.392	2164.421	739.456	2903.877
17.212	2170.501	764.020	2934.610

Figure 12

This screen presents the settlement data in tabular form. It can be obtained by clicking the "Table" button upper right (See Figure 11).

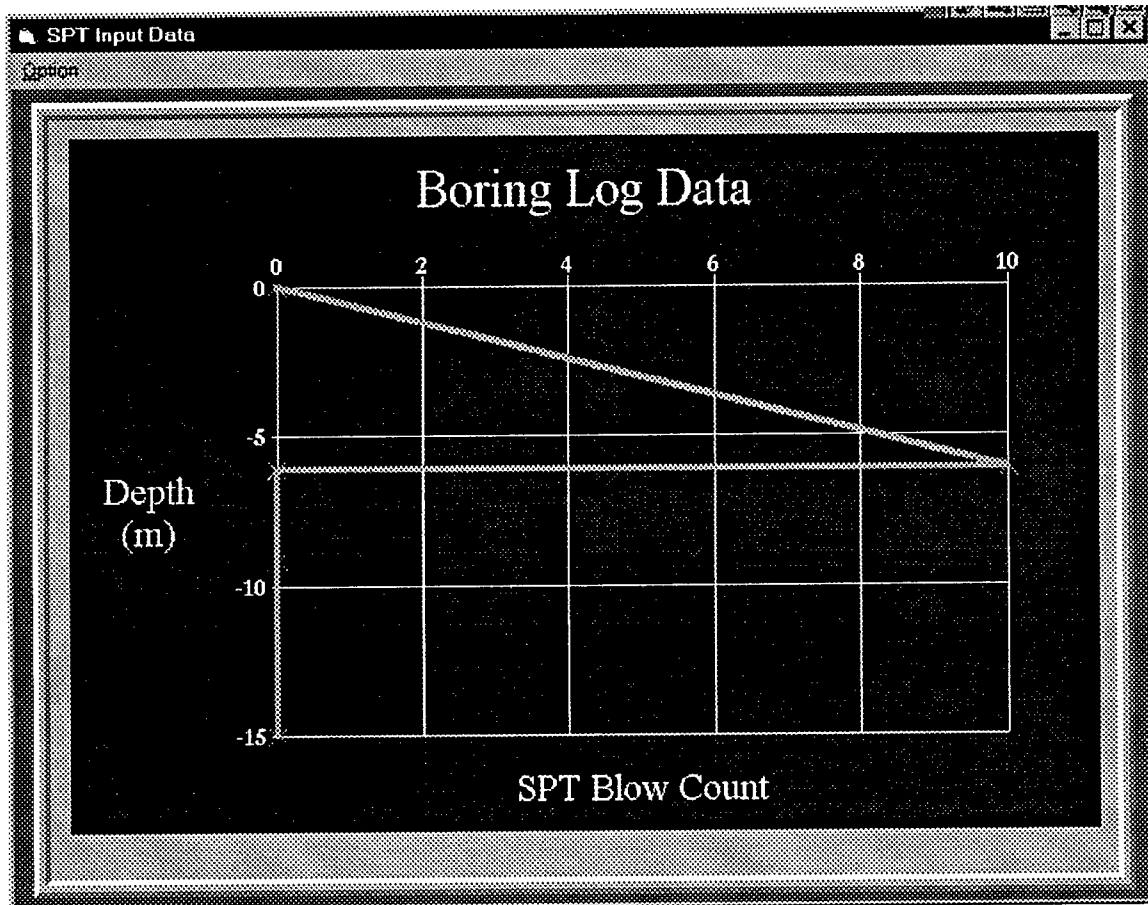


Figure 13

This screen presents the SPT blow count graphics. It can be accessed from the Input Data screen and clicking "Results".

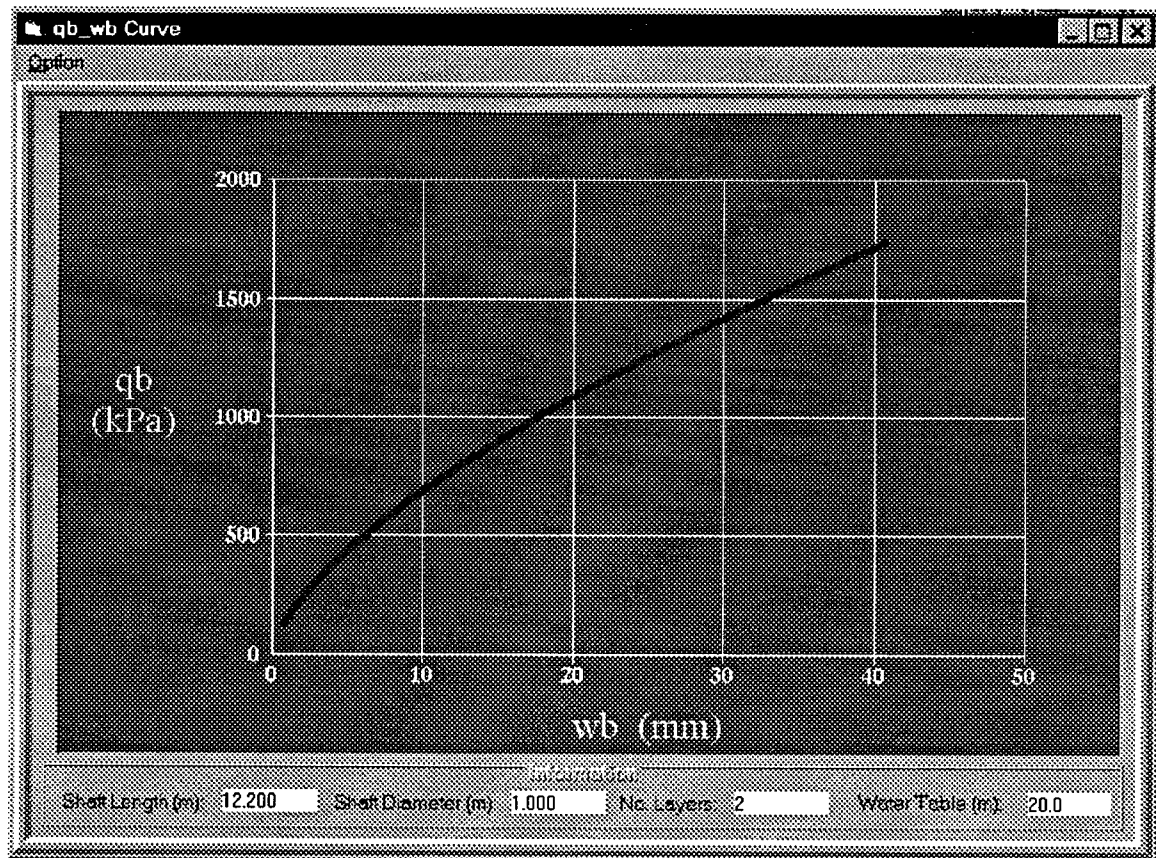


Figure 14

This screen presents the tip resistance VS displacement graphics. It can be accessed from the Input Data screen and clicking "Results".

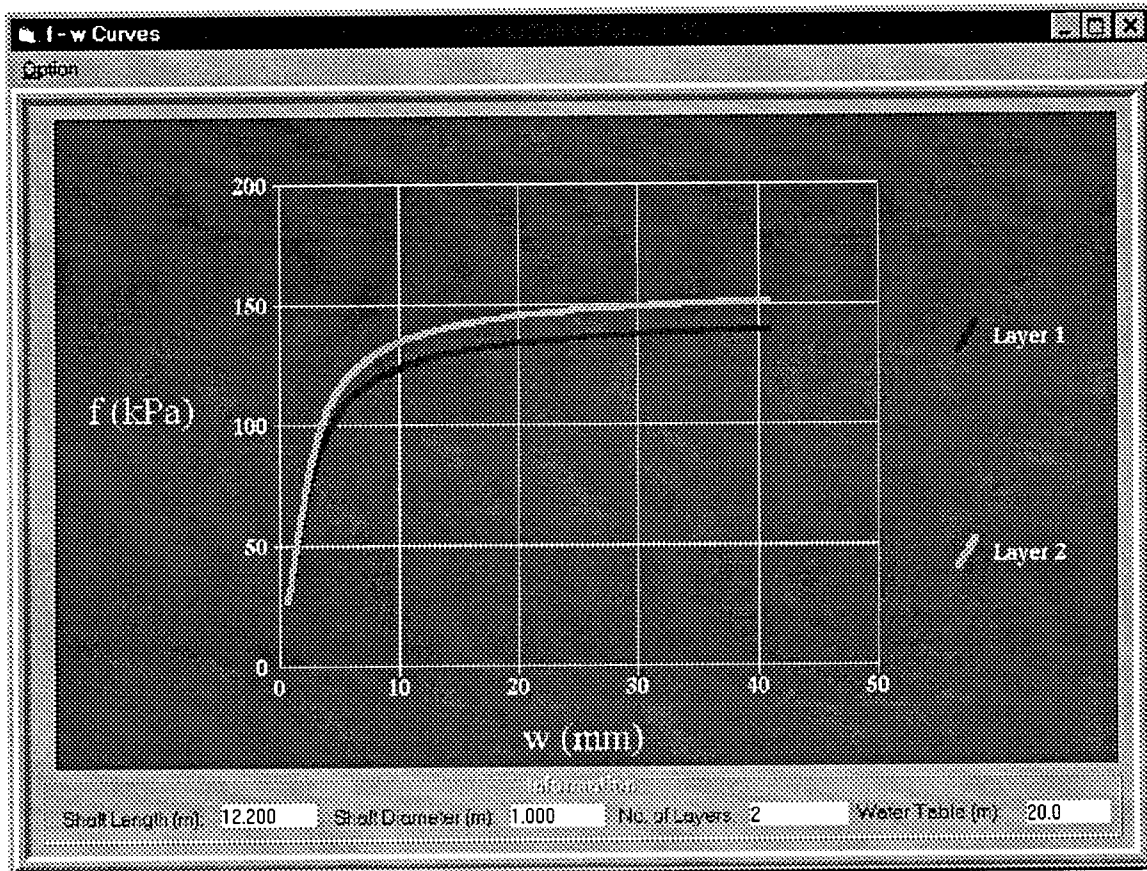


Figure 15

This screen presents the friction VS displacement (t-z) graphics. It can be accessed from the Input Data screen and clicking "Results".

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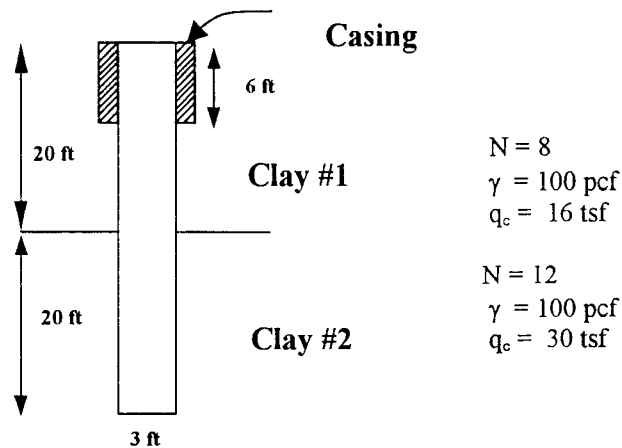
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APPENDIX A - Examples

CLAYS:

Example File: Clay1.dat

1. Multi Layer Clay with Casing
2. Multi Layer Clay with Casing $D > 75$ "



$$c = \frac{q_c - \sigma_0}{15}$$

$$\text{Clay Layer \# 1 : } c = \frac{16 * 2000 - 10 * 100}{15} = 2,066.67 \text{ psf (1.0333 tsf)}$$

$$\text{Clay Layer \# 2 : } c = \frac{30 * 2000 - 30 * 100}{15} = 3,800 \text{ psf (1.90 tsf)}$$

1. **Multi Layer Clay with Casing:** Full Capacity (40 ft Shaft)

- a) Skin Friction:

$$\begin{aligned}
 Q_s &= \pi * 3.0 * [(20' - 6')(0.55 * 1.033) + (20' - 3')(0.55 * 1.9)] \\
 &= 9.4248 * [7.9567 + 17.765] \\
 &= 242.42 \text{ Tons}
 \end{aligned}$$

- b) End Bearing:

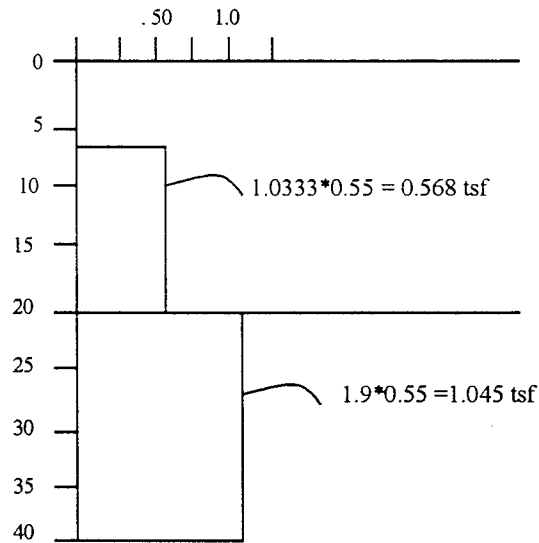
$$\begin{aligned}
 Q_b &= q_b * \frac{\pi b^2}{4}, \\
 q_b &= N_c C_u,
 \end{aligned}$$

$$N_c = 6.0 * \left[1 + 0.2 \frac{40}{3} \right] = 22 > 9 \text{ (use 9)}$$

$$Q_b = (9 * 1.9 \text{ tsf}) \cdot \frac{\pi \cdot 3^2}{4} = 120.87 \text{ Tons}$$

c) Total Capacity = Skin Friction + End Bearing
 $= 242.42 + 120.87$
 $= 363.29 \text{ Tons (ultimate)}$

d) Calculation of Skin Friction:



e) Settlement: S = (i) 0.3 " and (ii) S = 3.0 "

$$Q_s = 242.42^T, Q_b = 120.87^T, Q_T = 363.24^T$$

(i)

$$\frac{S * 100}{D} = \frac{0.3 * 100}{36} = 0.833 > 0.74, q_{st} = 0.978929 - 0.115817(0.833 - 0.74) * 242.42 = 234.70^T$$

$$\frac{q_{br}}{Q_b} = 1.1832E - 04 * (0.833)^5 - 3.7091E - 03(0.833)^4 + 4.4944E - 02(0.833)^3 - 0.26537(0.833)$$

$$0.78436(0.833)$$

$$= 0.4935 * 120.87 = 59.65 T$$

$$Q_T @ 0.3" = 234.70 + 59.65 = 294.35 T$$

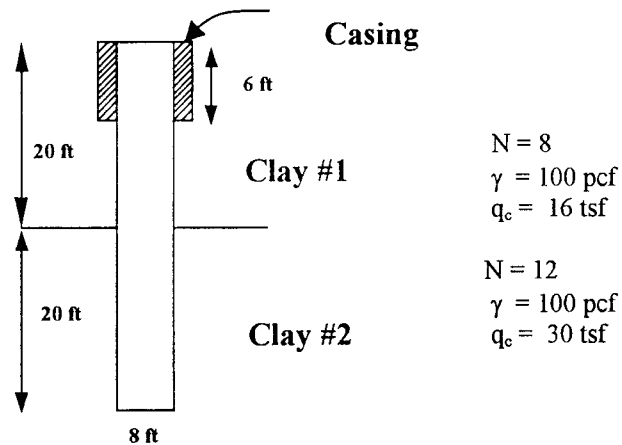
$$(ii) \frac{S * 100}{D} = \frac{3.0 * 100}{36} = 8.33 > 0.74, \quad q_{st} = 0.833 * 242.42 = 201.93^T$$

$$\frac{q_{br}}{Q_b} = 0.98 * 120.87 = 118.45^T$$

$$Q_T @ 3.0" = 201.93 + 118.45 = 320.38 \text{ Tons}$$

2. Multi Layer Clay with Casing, but $D > 75''$ (1.9m):

Example File: Clay2.dat



a) Skin Friction: $Q_s = \pi * 8.0 * [(20' - 6')(0.55 * 1.033) + (20' - 8')(0.55 * 1.9)]$
 $= 25.1327 * [7.9567 + 12.5]$
 $= 515.14 \text{ Tons}$

b) End Bearing: If $D > 75''$, then $q_{br} = F_r q_b$

$$F_r = \frac{2.5}{[a D_b (\text{inches}) + 2.5 b]}$$

$$a = 0.0071 + 0.0021(L / D_b)$$

$$= 0.0071 + 0.0021(40' / 8')$$

$$= 0.0176, \text{ but } a < 0.015$$

$$b = 0.45 \sqrt{C_u} = 0.45 \sqrt{1.9 * 2.0}, C_u \text{ in ksf}$$

$$= 0.8772, \quad 0.5 < b < 1.5$$

$$F_r = \frac{2.5}{[0.015 (96") + 2.5 (0.8772)]} = 0.6881$$

$$Q_b = \frac{\pi * 8^2}{4} (0.6881) (9 * 1.9) = 591.48 \text{ Tons}$$

$$Q_t = 515.14 + 591.48 = 1106.62 \text{ Tons}$$

e) Settlement: S = (i) 0.3 " and (ii) S = 3.0 "

$$Q_s = 515.14^T, Q_b = 591.48^T, Q_T = 1106.62^T$$

$$(i) \quad \frac{S * 100}{D} = \frac{0.3 * 100}{96} = 0.3125$$

$$\frac{q_{st}}{Q_s} = \left(\frac{100 * S}{D} \right) * \left(\frac{1}{0.095155 + 0.892937 * \left[\frac{100 * S}{D} \right]} \right)$$

$$\frac{q_{st}}{Q_s} = (0.3125) * \left(\frac{1}{0.095155 + 0.892937 * [0.3125]} \right)$$

$$\therefore q_{st} = 0.8325 * 515.14 = 428.85^T$$

$$\begin{aligned} \frac{q_{br}}{Q_b} &= 1.1832E - 04 * (0.3125)^5 - 3.7091E - 03(0.3125)^4 + 4.4944E - 02(0.3125)^3 - 0.26537(0.3125)^2 + 0.78436(0.3125) \\ &= 0.2205 * 591.48 = 130.44 \text{ T} \end{aligned}$$

$$Q_T @ 0.3" = 428.85 + 130.44 = 559.29 \text{ Tons}$$

$$(ii) \quad \frac{S * 100}{D} = \frac{3.0 * 100}{96} = 3.125$$

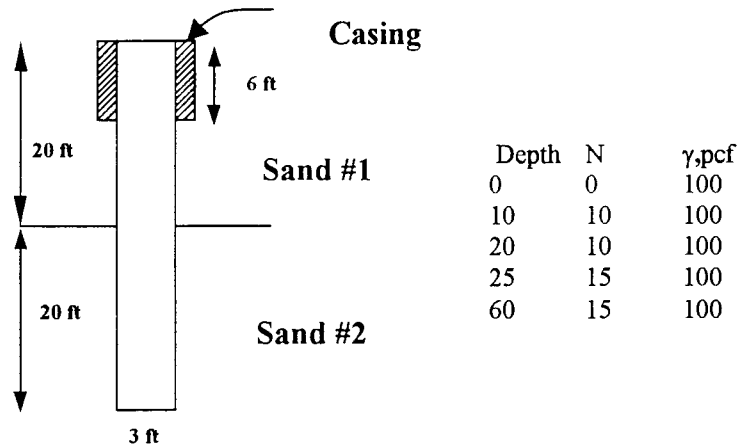
$$\frac{q_{st}}{Q_s} = 0.833, \therefore q_{st} = 0.833 * 515.14 = 429.11^T$$

$$\begin{aligned} \frac{q_{br}}{Q_b} &= 1.1832E - 04 * (3.125)^5 - 3.7091E - 03(3.125)^4 + 4.4944E - 02(3.125)^3 - 0.26537(3.125)^2 + 0.78436(3.125) \\ &= 0.9127 * 591.48 = 539.85 \text{ T} \end{aligned}$$

$$Q_T @ 3.0" = 429.11 + 539.85 = 986.96 \text{ Tons}$$

SANDS:

Example file: Sand1.dat



1. Skin Friction:

$$\beta = 1.5 - 0.135 \sqrt{z} \quad 0.25 < \beta(\text{tsf}) < 1.2$$

or $Z < 4.94\text{ft}$, $\beta = 1.2 \text{ tsf}$, and $Z > 85.73\text{ft}$, $\beta = 0.25$

$$\begin{aligned} \int_6^{40} \beta \sigma_v dz &= \int_6^{40} 150Z - 13.5Z^{\frac{3}{2}} dZ = \frac{150Z^2}{2} - 13.5Z^{\frac{5}{2}} * \frac{2}{5} \Big|_6^{40} \\ &= 65,355.84 - 2,223.82 = 18,116.37 * \frac{3\pi}{2000} = 297.50^T \end{aligned}$$

2. End Bearing: above $8*D$ and below $3.5*D$,

$$\text{above: } 40.0 - 8*D = 40.0 - 8*(3) = 16' ;$$

$$\text{below: } 40.0 + 3.5*D = 40.0 + 3.5*(3) = 50.5'$$

$$\text{for } z = 16' \quad q_b = 0.6*N = 0.6*(10) = 6 \text{ tsf}$$

$$z = 20' \quad q_b = 0.6*N = 0.6*(10) = 6 \text{ tsf}$$

$$z = 25' \quad q_b = 0.6*N = 0.6*(15) = 9 \text{ tsf}$$

$$z = 60' \quad q_b = 0.6*N = 0.6*(15) = 9 \text{ tsf}$$

$$\therefore q_b = \left[\frac{6 * (20 - 16) + \frac{9 + 6}{2} * (25 - 20) + 9 * (50.5 - 25)}{[50.5 - 16]} \right] = 8.4348$$

$$\text{So, } Q_b = 8.4348 * \left[\frac{\pi * 3^2}{4} \right] = 59.622^T$$

$$Q_T = 297.5 + 59.62 = 357.12$$

2. Check settlements: (a) $S = 0.3''$ and (b) $S = 1.44''$

$$R = S * 100/D = 0.3 * 100/36 = 0.833 \quad \& \quad R = S * 100/D = 1.44 * 100/36 = 4.00$$

a. For $R = 0.833$

$$q_{st} / Q_s = -2.16 * R^4 + 6.34 * R^3 - 7.36 * R^2 + 4.15 * R$$

$$= -2.16 * (0.833)^4 + 6.34 * (0.833)^3 - 7.36 * (0.833)^2 + 4.15 * (0.833)$$

$$= 0.9745$$

$$Q_s = 297.5 * 0.9745 = 289.91^T$$

$$q_{bt} / Q_b = -0.0001079 * (.833)^4 + 0.0035584 * (.833)^3 - 0.045115 * (.833)^2 + 0.34861 * (.833)$$

$$= 0.2796$$

$$\therefore Q_b = 0.2796 * 59.62 = 16.67^T$$

b. For $R = 4.00$

$$q_{st} / Q_s = 0.978112$$

$$Q_s = 297.5 * 0.978112$$

$$= 290.99^T$$

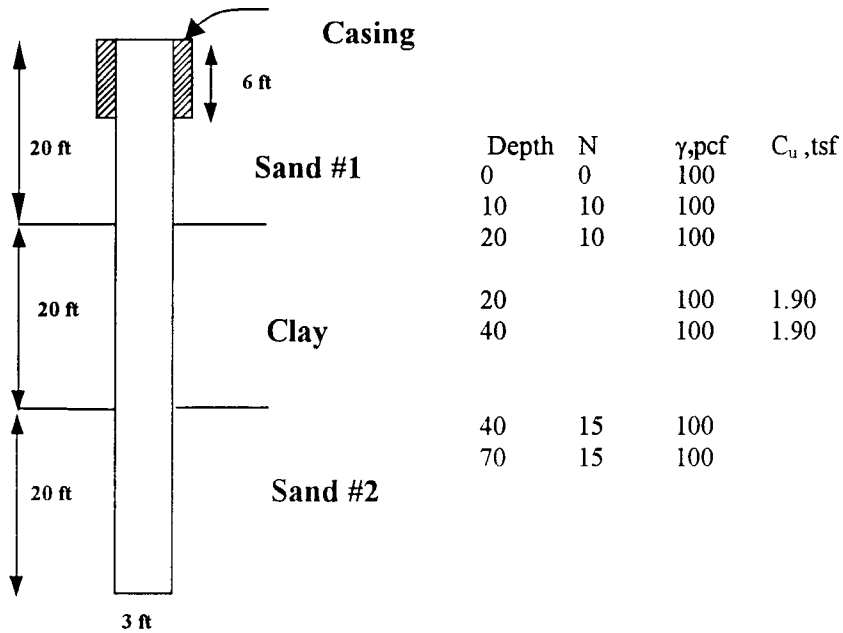
$$q_{bt} / Q_b = -0.0001079 * (4.00)^4 + 0.0035584 * (4.00)^3 - 0.045115 * (4.00)^2 + 0.34861 * (4.00)$$

$$= 0.8727$$

$$\therefore Q_b = 0.8727 * 59.62 = 52.03^T$$

MULTILAYER- SAND-CLAY-SAND:

Example File: Sand_c.dat



$$\begin{aligned}
 1. \text{ Skin Friction (6-20ft) : } Q_s &= \frac{3 \cdot \pi}{2000} \int_6^{20} (1.5 - 0.135\sqrt{z}) \gamma z \, dz \\
 &= 0.0047 \left[\frac{150 * z^2}{2} - 13.5 * z^{5/2} * \frac{5}{2} \right]_6^{20} \\
 &= 0.0047 [75 * (20^2 - 6^2) - 5.4 * (20^{5/2} - 6^{5/2})] \\
 &= 0.0047 [27,300 - 9,183.6] \\
 &= 85.371^T
 \end{aligned}$$

$$\begin{aligned}
 2. \text{ Skin Friction (20-40ft) : } Q_s &= 3 \cdot \pi [(40 - 20)(0.55 * 1.9)] \\
 &= 196.978^T
 \end{aligned}$$

$$\begin{aligned}
 3. \text{ Skin Friction (40-60ft) : } Q_s &= \frac{3 \cdot \pi}{2000} \int_{40}^{60} (1.5 - 0.135\sqrt{z}) \gamma z \, dz \\
 &= 0.0047 \left[\frac{150 * z^2}{2} - 13.5 * z^{5/2} * \frac{5}{2} \right]_{40}^{60} \\
 &= 0.0047 (75 * (60^2 - 40^2) - 5.4 * (60^{5/2} - 40^{5/2})) \\
 &= 0.0047 [150,000 - 95,937.4] \\
 &= 254.764^T
 \end{aligned}$$

$$\Sigma Q_s = 85.371 + 196.978 + 254.764 = 537.11 \text{ tons}$$

4. Tip Resistance : above $8*D$ and below $3.5*D$,

$$\text{Above: } 60.0 - 8*D = 60.0 - 8*(3) = 36 \text{ ft ;}$$

$$\text{Below: } 60.0 + 3.5*D = 60.0 + 3.5*(3) = 70.5 \text{ ft}$$

$$\text{For } z = 40 \text{ ft} \quad q_b = 0.6*N = 0.6*(15) = 9 \text{ tsf}$$

$$z = 60 \text{ ft} \quad q_b = 0.6*N = 0.6*(15) = 9 \text{ tsf}$$

$$z = 75 \text{ ft} \quad q_b = 0.6*N = 0.6*(15) = 9 \text{ tsf}$$

$$\text{So, } Q_b = \left[\frac{\pi \cdot 3^2}{4} \right] * 9 = 63.62^T$$

Check q_b of overlaying Clay:

$$q_b = 9*C_u = 9*1.9 = 17.1 \text{ tsf stronger, } \therefore \text{ stop @ 40ft.}$$

5. Settlement : (a) $S = 0.3$ inches

$$R = S*100/D = 0.3*100/36 = 0.833$$

$$\text{Sand (0-20 ft) : } q_{st} / Q_s = -2.16*R^4 + 6.34*R^3 - 7.36*R^2 + 4.15*R$$

$$= -2.16*(0.833)^4 + 6.34*(0.833)^3 - 7.36*(0.833)^2 + 4.15*(0.833)$$

$$= 0.9745$$

$$q_s = 0.9745 * 85.371$$

$$= 83.197^T$$

$$\text{Clay (20-40 ft): } q_{st} / Q_s = 0.978929 - 0.115817(R - 0.74)$$

$$q_{st} = 0.978929 - 0.115817(0.833 - 0.74) * 196.978 = 190.706^T$$

$$\text{Sand (40-60 ft): } q_s = 0.9745 * 255.117$$

$$= 248.611^T$$

$$q_{bt} / Q_b = -0.0001079*(.833)^4 + 0.0035584*(.833)^3 - 0.045115*(.833)^2 +$$

$$0.34861*(.833)$$

$$= 0.2796$$

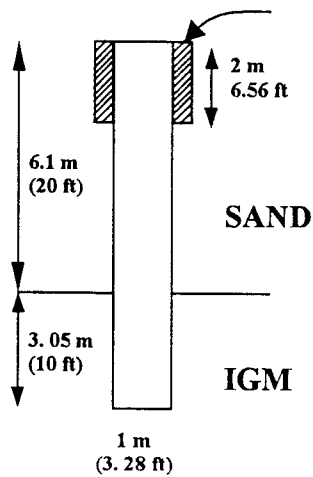
$$\therefore Q_b = 0.2796 * 63.617 = 17.787^T$$

\therefore When $S = 0.3$ inches,

$$Q_s = 83.197 + 190.706 + 248.611 = 522.51 + Q_t = 17.787^T \\ = 540.29 \text{ tons.}$$

IGM: (Sand & Limestone)

File: IGM_S.dat



Casing

$$\gamma = 100 \text{ pcf (15.708 kN/m}^3\text{)}$$
$$N = 10$$

LimeStone:

$$q_u = 10 \text{ tsf (957.6 kPa, 0.96 Mpa)}$$

$$q_t = 1 \text{ tsf (95.76 kPa, 0.096 Mpa)}$$

$$\gamma = 135 \text{ pcf (21.2 kN/m}^3\text{)}, \quad \gamma_c = 20.4 \text{ kN/m}^3$$

$$E_c = 57,000 \sqrt{f'_y} = 57,000 \sqrt{5000 \text{ psi}}$$

$$= 4.03E6 \text{ psi (27.77E6 kPa)}$$

Because of unit comparison problems, calculate Sand using English and Rock using SI units.

1. Skin Friction (Sand): $Q_s = \frac{3.28 * \pi}{2000} \int_{6.56}^{20} (1.5 - 0.135\sqrt{z}) \gamma z dz$

$$= \frac{3.28 * \pi}{2000} \left[\frac{150 * z^2}{2} - 13.5 * z^{5/2} * \frac{5}{2} \right]_{6.56}^{20}$$
$$= \frac{3.28 * \pi}{2000} [75 * (20^2 - 6.56^2) - 5.4 * (20^{5/2} - 6.56^{5/2})]$$
$$= 0.00515 [26,772.5 - 9064.6]$$
$$= 91.23^T = 91.23 * 2000 / 224.809 = \mathbf{811.66 \text{ kN}}$$

3. Analysis of Rock resistance has 2 design methodologies:

(a) UF method: Skin Friction defined as

(1) Williams $f_{su} = 1.842 q_u^{0.367}$

(2) McVay $f_{su} (tsf) = \frac{1}{2} \sqrt{q_u} \sqrt{q_t}$

(3) User defined.

and Tip resistance is user defined, typically $q_b = q_u / 2$. No settlements can be calculated using this method.

(b) O'Neill (FHWA) intermediary geo-materials method, this method is deformation based.

4. UF method (Rock): (Note: Must enter values for q_u and q_t)

$$Q_s = \pi d L f_{su} = \pi (1m) (3.05m) (0.5\sqrt{95.76}\sqrt{95.76}) = 1450.79 \text{ kN}$$

$$\Sigma Q_s = 811.66 + 1450.79 = 2262.45 \text{ kPa}$$

$$\text{Assuming } q_b = \frac{1}{2} q_u : Q_t = \frac{\pi(1)^2}{4} (0.5 * 957.6) = 376 \text{ kN}$$

$$\text{Then, } Q_s + Q_t = 2638.45 \text{ kN}$$

5. O'Neill IGM: (Note: Must enter values for E_c , slump, E_m/E_t , E_m , and IGM_Type = 2)

a. $E_m = 115 q_u = 115 (0.96 \text{ MPa}) = 110.4 \text{ MPa}.$

b. $\Omega = 1.14 \left(\frac{L}{D} \right)^{1/2} - 0.05 \left(\left\{ \frac{L}{D} \right\}^{1/2} - 1 \right) \log \left(\frac{E_c}{E_m} \right) - 0.44$

$$\Omega = 1.14(3.05)^{1/2} - 0.05(3.05^{1/2} - 1) \log \left(\frac{27,777}{110.4} \right) - 0.44 = 1.46$$

c. $\Gamma = 0.37 \left(\frac{L}{D} \right)^{1/2} - 0.15 \left(\left\{ \frac{L}{D} \right\}^{1/2} - 1 \right) \log \left(\frac{E_c}{E_m} \right) + 0.13$

$$\Gamma = 0.37(3.05)^{1/2} - 0.15(3.05^{1/2} - 1) \log \left(\frac{27,777}{110.4} \right) + 0.13 = 0.507$$

d. $\frac{\theta}{w} = \frac{E_m \Omega}{\pi L \Gamma f_{su}}; f_{su} = \frac{1}{2} \sqrt{q_u} \sqrt{q_t}$

$$= \frac{110.4 * 1.46}{\pi * 3.05 * 0.507 * (\frac{1}{2} \sqrt{0.96} \sqrt{0.96})} = \frac{161.18}{0.7374} = 218.586 / m$$

e. $\Lambda = 0.0134 E_m \frac{(\frac{L}{D})}{(\frac{L}{D} + 1)} \left\{ \frac{200 \left[\sqrt{\frac{L}{D}} - \Omega \right] \left[1 + \frac{L}{D} \right]}{\pi L \Gamma} \right\}^{0.67}$

$$\Lambda = 0.0134 (110.4 \text{ MPa}) \frac{3.05}{4.05} \left\{ \frac{200 \left[\sqrt{3.05} - 1.46 \right] \left[1 + 3.05 \right]}{\pi * 3.05 * 5.07} \right\}^{0.67}$$

$$= 1.1141 [4.7757]^{0.67}$$

$$= 3.159 \text{ MPa m}^{-0.67}$$

$$\begin{aligned}\Lambda &= (1114.1 \text{ kPa}) \left\{ \frac{200 [\sqrt{3.05} - 1.46] [1 + 3.05]}{\pi * 3050 * 0.507} \right\}^{0.67} \\ &= 1.1141[0.1316] \\ &= 146.65 \text{ kPa mm}^{-0.67}\end{aligned}$$

f. Determine n for deformation criteria Fig 36 $\frac{q_u}{\sigma_p} = \frac{957.6 \text{ kPa}}{100} = 9.576$

$$\frac{E_m}{\sigma_n}; \quad \sigma_n = M \gamma_c Z_c; \quad \text{Since } Z_c = 6.1 + \frac{3.05}{2} = 7.625 \text{ m (use 8m)}$$

$$\text{For a slump} = 175 \text{ mm}, \quad M(\text{Fig 3.5}) = 0.78$$

$$\therefore \sigma_n = 0.78 * 20.4 * 7.625 = 121.33 \text{ kPa}$$

$$\therefore \frac{E_m}{\sigma_n} = \frac{110,400}{121.33} = 909.9 \quad \therefore n \approx 0.42$$

g. Select values of 'w' for calculating

$$Q_t = \pi D L \theta f_{su} + \frac{\pi D^2}{4} q_b \quad \text{for } \theta < n; \quad q_b = \Lambda w^{0.67}$$

$$Q_t = \pi D L k f_{su} + \frac{\pi D^2}{4} q_b \quad \text{for } \theta > n$$

1) Let w = 2 mm; $\theta / w = 218.586$,

$$\therefore \theta = 218.586 * 0.002 \text{ m} = 0.437 < n = 0.45$$

$$Q_t = \pi * 1 * 3.05 * 0.437 * (151.4 \text{ kPa}) + \frac{\pi * 1^2}{4} * 146.65 * 2^{0.67}$$

$$= 634 + 182.8$$

$$= 816.7 \text{ kPa}$$

2) Let w = 5 mm; $\theta / w = 218.586$,

$$\therefore \theta = 218.586 * 0.005 \text{ m} = 1.093 > n = 0.45$$

$$k = n + \frac{(\theta - n)(1 - n)}{(\theta - 2n + 1)} = 0.45 + \frac{(1.093 - 0.45)(1 - 0.45)}{(1.093 - 2(0.45) + 1)} = 0.7706$$

$$\begin{aligned}
 Q_t &= \pi * 1 * 3.05 * 0.77 * (151.4 \text{ kPa}) + \frac{\pi * 1^2}{4} * 146.65 * 5^{0.67} \\
 &= 1118 + 336.8 \\
 &= 1455 \text{ kPa}
 \end{aligned}$$

h. Now go back and calculate sand capacity using trend lines when $w = 2\text{mm}$ and 5mm .

$$1. \quad R = (s * 100 / D);$$

$$@ 2\text{mm } R = (0.2\text{cm} * 100 / 100\text{cm}) = 0.2$$

$$@ 5\text{mm } R = (0.5\text{cm} * 100 / 100\text{cm}) = 0.5$$

$$\begin{aligned}
 2. \quad q_{st} / Q_s &= -2.16 * R^4 + 6.34 * R^3 - 7.36 * R^2 + 4.15 * R \\
 &= -2.16 * (0.2)^4 + 6.34 * (0.2)^3 - 7.36 * (0.2)^2 + 4.15 * (0.2) \\
 &= 0.5829 \text{ for } w = 2\text{mm}
 \end{aligned}$$

$$q_s = 0.5829 * (811.66 \text{ kN})$$

$$= 473.1 \text{ kN for } 2 \text{ mm}$$

$$\begin{aligned}
 q_{st} / Q_s &= -2.16 * R^4 + 6.34 * R^3 - 7.36 * R^2 + 4.15 * R \\
 &= -2.16 * (0.5)^4 + 6.34 * (0.5)^3 - 7.36 * (0.5)^2 + 4.15 * (0.5) \\
 &= 0.892 \text{ for } w = 5\text{mm}
 \end{aligned}$$

$$3. \quad q_s = 0.892 * (811.66 \text{ kN})$$

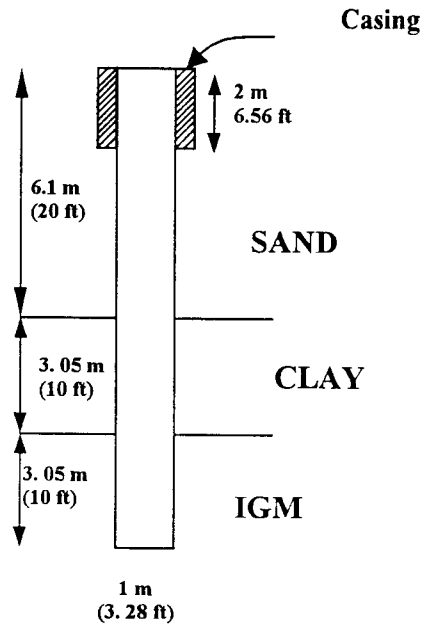
$$= 724.4 \text{ kN for } 5 \text{ mm}$$

i. Total Shaft Capacity (Sand + Rock)

$$1) @ 2\text{mm} \quad Q_T = 473.1 \text{ kN} + 634 \text{ kN} + 182.8 \text{ kN} = 1289.9 \text{ kN}$$

$$2) @ 5\text{mm} \quad Q_T = 724.4 \text{ kN} + 1118 \text{ kN} + 336.8 \text{ kN} = 2179.2 \text{ kN}$$

IGM: (Sand, Clay & Limestone)
File: S_C_LIMEROCK.DAT



$$\gamma = 100 \text{ pcf (15.708 kN/m}^3\text{)}$$

$$N = 10$$

$$\gamma = 100 \text{ pcf (15.708 kN/m}^3\text{)}$$

$$c = 1.9 \text{ tsf (181.94 kPa)}$$

LimeStone:

$$q_u = 10 \text{ tsf (957.6 kPa, 0.96 Mpa)}$$

$$q_t = 1 \text{ tsf (95.76 kPa, 0.096 Mpa)}$$

$$\gamma = 135 \text{ pcf (21.2 kN/m}^3\text{)}, \quad \gamma_c = 20.4 \text{ kN/m}^3$$

$$E_c = 57,000 \sqrt{f'_y} = 57,000 \sqrt{5000 \text{ psi}}$$

$$= 4.03E6 \text{ psi (27.77E6 kPa)}$$

$$f_{su} = \frac{1}{2} \sqrt{q_u} \sqrt{q_t} = 151.41 \text{ kPa}$$

$$\text{Smooth socket IGM_type} = 2.0$$

1. Skin Friction (Sand): $Q_s = \frac{3.28 * \pi}{2000} \int_{6.56}^{20} (1.5 - 0.135 \sqrt{z}) \gamma z dz$

$$= \frac{3.28 * \pi}{2000} \left[\frac{150 * z^2}{2} - 13.5 * z^{5/2} * \frac{5}{2} \right]_{6.56}^{20}$$

$$= \frac{3.28 * \pi}{2000} [75 * (20^2 - 6.56^2) - 5.4 * (20^{5/2} - 6.56^{5/2})]$$

$$= 0.00515 [26,772.5 - 9064.6]$$

$$= 91.23^T = 91.23 * 2000 / 224.809 = 811.66 \text{ kN}$$
2. Skin Friction (Clay): $Q_s = \pi D L \alpha C_u = \pi (1) (3.05) (0.55 * 181.94)$

$$= 958.85 \text{ kN (107.78}^T\text{)}$$
3. Skin Friction (Rock): (Note: UF method needs q_u and q_t)
$$Q_s = \pi D L f_{su} = \pi (1) (3.05) (151.41 \text{ kPa}) = 1450.8 \text{ kN (163.075}^T\text{)}$$

4. End Bearing (Rock):

$$\begin{aligned}
 Q_b &= \frac{\pi d^2}{4} q_b; \quad \text{Let } q_b = 0.5 q_u \\
 &= \pi * (1) * (0.25) * (0.5 * 957.6 \text{ kPa}) \\
 &= 376.05 \text{ kN } (42.27^T)
 \end{aligned}$$

5. Summary: $Q_T = 811.66 + 958.85 + 376.05 = 3,597.4 \text{ kN } (404.36^T)$

No settlement in this method.

2. FHWA IGM Calculations: (Note: Must enter values for E_c , slump, E_m/E_t , E_m , and IGM_Type = 2)

a. $E_m = 115 q_u = 115 (957.6 \text{ kPa}) = 110.4 \text{ MPa}.$

b. $\Omega = 1.14 \left(\frac{L}{D} \right)^{1/2} - 0.05 \left(\left\{ \frac{L}{D} \right\}^{1/2} - 1 \right) \log \left(\frac{E_c}{E_m} \right) - 0.44$

$$\Omega = 1.14(3.05)^{1/2} - 0.05(3.05^{1/2} - 1) \log \left(\frac{27,777}{110.4} \right) - 0.44 = 1.46$$

c. $\Gamma = 0.37 \left(\frac{L}{D} \right)^{1/2} - 0.15 \left(\left\{ \frac{L}{D} \right\}^{1/2} - 1 \right) \log \left(\frac{E_c}{E_m} \right) + 0.13$

$$\Gamma = 0.37(3.05)^{1/2} - 0.15(3.05^{1/2} - 1) \log \left(\frac{27,777}{110.4} \right) + 0.13 = 0.507$$

d. $\frac{\theta}{w} = \frac{E_m \Omega}{\pi L \Gamma f_{su}}; \quad f_{su} = \frac{1}{2} \sqrt{q_u} \sqrt{q_t}$

$$= \frac{110.4 * 1.46}{\pi * 3.05 * 0.507 * (\frac{1}{2} * 0.151 \text{ MPa})} = \frac{161.18}{0.7336} = 219.73 / m$$

e. $\Lambda = 0.0134 E_m \frac{(\frac{L}{D})}{(\frac{L}{D} + 1)} \left\{ \frac{200 \left[\sqrt{\frac{L}{D}} - \Omega \right] \left[1 + \frac{L}{D} \right]}{\pi L \Gamma} \right\}^{0.67}$

$$\Lambda = 0.0134 (110,112.5 \text{ kPa}) \frac{3.05}{4.05} \left\{ \frac{200 [\sqrt{3.05} - 1.46] [1 + 3.05]}{\pi * 3050 * 0.507} \right\}^{0.67}$$

$$= 146.27 \text{ kPa mm}^{-0.67}$$

f. Determine n for deformation criteria Fig 36 $\frac{q_u}{\sigma_p} = \frac{957.6 \text{ kPa}}{100} = 9.576$

$$\frac{E_m}{\sigma_n}; \quad \sigma_n = M \gamma_c Z_c; \quad \text{Since } Z_c = 6.1 + 3.05 + \frac{3.05}{2} = 10.675 \text{ m}$$

For a slump = 175 mm, $M(\text{Fig 3.5}) = 0.68$

$$\therefore \sigma_n = 0.68 * 20.4 * 10.675 = 148.1 \text{ kPa}$$

$$\therefore \frac{E_m}{\sigma_n} = \frac{110,112.5}{148.1} = 743.6 \quad \therefore n \approx 0.4 < n = 0.45$$

g. Select values of 'w' for calculating

$$Q_t = \pi D L \theta f_{su} + \frac{\pi D^2}{4} q_b \quad \text{for } \theta < n; \quad q_b = \Lambda w^{0.67}$$

$$Q_t = \pi D L k f_{su} + \frac{\pi D^2}{4} q_b \quad \text{for } \theta > n$$

1) Let w = 2 mm; $\theta / w = 219.73 \text{ m}^{-1}$,

$$\therefore \theta = 219.73 * 0.002 \text{ m} = 0.439 < n = 0.45$$

$$Q_t = \pi * 1 * 3.05 * 0.439 * (151.4 \text{ kPa}) + \frac{\pi * 1^2}{4} * 146.27 * 2^{0.67}$$

$$= 636.85 + 182.8$$

$$= 819.2 \text{ kPa}$$

2) Let w = 5 mm; $\theta / w = 219.73 \text{ m}^{-1}$,

$$\therefore \theta = 219.73 * 0.005 \text{ m} = 1.099 > n = 0.45$$

$$k = n + \frac{(\theta - n)(1 - n)}{(\theta - 2n + 1)} = 0.45 + \frac{(1.099 - 0.45)(1 - 0.45)}{(1.099 - 2(0.45) + 1)} = 0.75$$

$$Q_t = \pi * 1 * 3.05 * 0.75 * (151.4 \text{ kPa}) + \frac{\pi * 1^2}{4} * 146.27 * 5^{0.67}$$

$$= 1084.6 + 335.9$$

$$= 1420.5 \text{ kPa}$$

h. Now go back and calculate sand capacity using trend lines when $w = 2\text{mm}$ and 5mm .

$$1. \quad R = (s * 100 / D);$$

$$@ 2\text{mm } R = (0.2\text{cm} * 100 / 100\text{cm}) = 0.2, \text{ and}$$

$$@ 5\text{mm } R = (0.5\text{cm} * 100 / 100\text{cm}) = 0.5$$

$$\begin{aligned} 2. \quad q_{st} / Q_s &= -2.16 * R^4 + 6.34 * R^3 - 7.36 * R^2 + 4.15 * R \\ &= -2.16 * (0.2)^4 + 6.34 * (0.2)^3 - 7.36 * (0.2)^2 + 4.15 * (0.2) \\ &= 0.5829 \text{ for } w = 2\text{mm} \end{aligned}$$

$$\begin{aligned} 3. \quad q_s &= 0.5829 * (811.66 \text{ kN}) \\ &= 473.1 \text{ kN for } 2 \text{ mm} \end{aligned}$$

$$\begin{aligned} 2. \quad q_{st} / Q_s &= -2.16 * R^4 + 6.34 * R^3 - 7.36 * R^2 + 4.15 * R \\ &= -2.16 * (0.5)^4 + 6.34 * (0.5)^3 - 7.36 * (0.5)^2 + 4.15 * (0.5) \\ &= 0.892 \text{ for } w = 5\text{mm} \end{aligned}$$

$$\begin{aligned} 3. \quad q_s &= 0.892 * (811.66 \text{ kN}) \\ &= 724.4 \text{ kN for } 5 \text{ mm} \end{aligned}$$

$$4. \quad \text{Clay: } R = s * 100 / D; @ 2 \text{ mm } R = 0.2 \text{ \& } 0.5 @ 5 \text{ mm } 0.12 < R < 0.74$$

$$\begin{aligned} \frac{q_{st}}{Q_s} &= \frac{R}{[0.095155 + 0.892937 * R]} = \frac{0.2}{0.2737} = 0.731 \\ &= \frac{0.5}{0.5416} = 0.9232 \end{aligned}$$

$$q_s = 0.7310 * 958.85 = 700.55 \text{ kN} \quad @ 2 \text{ mm}$$

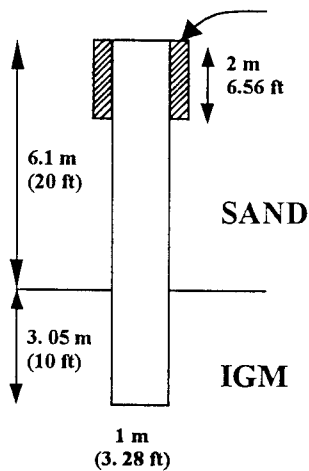
$$q_s = 0.9232 * 958.85 = 885.16 \text{ kN} \quad @ 5 \text{ mm}$$

i. Total Shaft Capacity (Sand + Rock)

$$1) @ 2\text{mm} \quad Q_T = 473.1 \text{ kN} + 700.5 \text{ kN} + 636.85 \text{ kN} + 182.4 = 1992.8 \text{ kN}$$

$$2) @ 5\text{mm} \quad Q_T = 724.4 \text{ kN} + 885.16 \text{ kN} + 1084.6 \text{ kN} + 335.9 \text{ kN} = 3030.1 \text{ kN}$$

IGM: (Sand & Limestone) Consider “Rough” Socket:



$$\gamma = 100 \text{ pcf } (15.708 \text{ kN/m}^3)$$

$$N = 10$$

LimeStone:

$$q_u = 10 \text{ tsf } (957.6 \text{ kPa}, 0.96 \text{ Mpa})$$

$$q_t = 1 \text{ tsf } (95.76 \text{ kPa}, 0.096 \text{ Mpa})$$

$$\gamma = 135 \text{ pcf } (21.2 \text{ kN/m}^3), \quad \gamma_c = 20.4 \text{ kN/m}^3$$

$$E_c = 57,000 \sqrt{f'_y} = 57,000 \sqrt{5000 \text{ psi}}$$

$$= 4.03E6 \text{ psi } (27.77E6 \text{ kPa})$$

$$f_{su} = \frac{1}{2} \sqrt{q_u} \sqrt{q_t} = 151.41 \text{ kPa}$$

1. From Previous Example,

$$\begin{aligned} \text{a) Skin Friction (Sand): } Q_s &= \frac{3.28 * \pi}{2000} \int_{6.56}^{20} (1.5 - 0.135\sqrt{z}) \gamma z dz \\ &= \frac{3.28 * \pi}{2000} \left[\frac{150 * z^2}{2} - 13.5 * z^{5/2} * \frac{5}{2} \right]_{6.56}^{20} \\ &= \frac{3.28 * \pi}{2000} [75 * (20^2 - 6.56^2) - 5.4 * (20^{5/2} - 6.56^{5/2})] \\ &= 0.00515 [26,772.5 - 9064.6] \\ &= 91.23^T = 91.23 * 2000 / 224.809 = 811.66 \text{ kN} \end{aligned}$$

2. O'Neill (FHWA) Rock - Rough Socket: (Note: Must enter values for E_c , slump, E_m/E_I , E_m , and IGM_Type = 1..0)

$$\text{a) If "Rough" } n = \sigma_n / q_u$$

$$\sigma_n = M \gamma_c Z_c; \text{ Since } Z_c = 6.1 + \frac{3.05}{2} = 7.625m \text{ (use 8m)}$$

$$\text{For a slump} = 175 \text{ mm, } M(\text{Fig 3.5}) = 0.78$$

$$\therefore \sigma_n = 0.78 * 20.4 * 7.625 = 121.33 \text{ kPa}$$

$$\text{b) } n = \sigma_n / q_u = 121.33 / 95.76 = 0.13$$

c)

$$Q_t = \pi D L \theta f_{su} + \frac{\pi D^2}{4} q_b \text{ for } \theta < n; \quad q_b = \Lambda w^{0.67}$$

$$Q_t = \pi D L k f_{su} + \frac{\pi D^2}{4} q_b \text{ for } \theta > n$$

$$\text{d) } \theta / w = 218.586 \text{ m}^{-1}$$

$$\text{e) Let } w = 2 \text{ mm; } \therefore \theta = 218.586 * 0.002\text{m} = 0.437 > n = 0.13$$

$$k = n + \frac{(\theta - n)(1 - n)}{(\theta - 2n + 1)} = 0.13 + \frac{(0.437 - 0.13)(1 - 0.13)}{(0.437 - 2(0.13) + 1)} = 0.356$$

$$Q_t = \pi * 1 * 3.05 * 0.356 * (151.4 \text{ kPa}) + \frac{\pi * 1^2}{4} * 146.65 * 2^{0.67}$$

$$= 516.48 + 182.83$$

$$= 699.3 \text{ kPa}$$

f) Calculate sand capacity using trend lines when $w = 2\text{mm}$

$$1. R = (s * 100 / D); @ 2\text{mm } R = (0.2\text{cm} * 100 / 100\text{cm}) = 0.2$$

$$2. \quad q_{st} / Q_s = -2.16 * R^4 + 6.34 * R^3 - 7.36 * R^2 + 4.15 * R$$

$$= -2.16 * (0.2)^4 + 6.34 * (0.2)^3 - 7.36 * (0.2)^2 + 4.15 * (0.2)$$

$$= 0.5829 \text{ for } w = 2\text{mm}$$

$$3. \quad q_s = 0.5829 * (811.66 \text{ kN})$$

$$= 473.1 \text{ kN for } 2 \text{ mm}$$

$$\text{g) } \Sigma Q = 473.1 + 516.48 + 182.83 = 1172.4$$

